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Targetting and Guidance Program
Documentation

by

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Introduction

A FORTRAN computer program has been developed which automatically targets two and three burn rendezvous missions and performs feedback guidance using the previously developed GUIDE algorithm. The program was designed to accept a large class of orbit specifications and automatically chooses a two or three burn mission depending upon the time alignment of the vehicle and target. The orbits may be specified as any combination of circular and elliptical orbits and may be coplanar or inclined, but must be aligned coaxially (i.e. line of intersection of orbital planes and orbital major axes coincident) with their perigees in the same direction. The program accomplishes the required targetting by repeatedly converging successively more complex missions. It solves the coplanar impulsive version of the mission, then the finite burn coplanar mission and finally the full plane change mission. The GUIDE algorithm is exercised in a feedback guidance mode by taking the targeted solution and moving the vehicle state step by step ahead in time adding acceleration and navigational errors and reconverging from the perturbed states at fixed guidance update intervals.

The targetting and guidance algorithm converges all two burn missions easily and exhibits good guidance behavior for these missions. Three burn missions were much more sensitive and required special loops to insure convergence. The outbound three burn mission had to be converged backwards in time and plane change was most readily incorporated by eliminating the third burn and solving the appropriate two burn mission, reintroducing the third burn at the end. In a targetting mode these techniques cause no particular problem and insure convergence. In guidance mode the convergence problems are more difficult to compensate for and may limit real time use. The program as it now stands attempts to optimize over all three burns and although it has maintained convergence for all missions attempted, the guidance corrections have been larger than desired. In the future it may be necessary to solve the guidance problem over the first burn as a rendezvous with the desired phasing or transfer orbit and to only introduce the third burn after completion of the first one.

Another study that needs to be undertaken is to optimize the soft constraint weights using the Monte Carlo capability built into the program. By altering the weights and noting the tradeoffs made between burn time and orbital injection error, a better estimate of optimal soft constraint weights can be obtained.

The remainder of this document describes the targetting and guidance program in detail, giving an overview of the program control and organization, a summary of program inputs and outputs and a detailed description of each of the subparts of the program. Also included in the document is a description of the GUIDE subroutine BVAL5, which was altered to incorporate the soft constraint formulation, and is fully documented. The other GUIDE subroutines are essentially the same as the ones described in the GUIDE 71/6 document¹ and are not described here.

¹ Cohen, A.O., "Guide 71/6 Program Documentation", IBM Federal Systems Division, Burlington, Mass., October 4, 1971.

Program Overview

The program is controlled by routine MAIN, which oversees the impulsive targetting, the convergence of the orbital transfer, and the feedback guidance. The impulsive targetting is accomplished by first determining the elements of both orbits, then defining the transfer orbit and phasing orbit (3 burn only) and determining the velocities at apogee and perigee of each orbit. Next the delta v's are calculated and the burn and coast times calculated. The transfer orbit is chosen to be tangent at both end points to the principal orbits, and the mission is classified as inbound or outbound depending on whether apogee of the final (target) orbit is less than or greater than apogee of the initial orbit. The phasing orbit is chosen to lie as close as possible to the one which results from splitting the burn at perigee into two equal halves. A closed-form solution is used for initial costate.

The converged finite-burn solution is arrived at by repeatedly converging successively more complex missions, starting with a planar mission and gradually adding in the plane change required (10° steps). To maintain convergence for outbound 3-burn missions, it was necessary to rearrange each mission and converge it in a backwards fashion, from the target orbit to the vehicle (initial) orbit. The plane change mentioned above was facilitated by changing the 3-burn mission to a 2-burn mission where the planar-converged phasing orbit was substituted for the closer orbit. After converging the 2-burn mission with the total plane change, the 3-burn mission was reinstated and converged. Finally, the 3-burn outbound mission is turned around to its normal mode and reconverged.

After targetting has been done, the guidance portion of the program is run in a feedback mode, in which it is made to respond to simulated perturbations. The routine MAIN calls BCBCB or CBCB to propagate the vehicle along each arc of the mission, and Monte Carlo statistics are collected at appropriate points and summarized at the end.

Further details of the operation of the program, as well as the routines employed, are described in the pages which follow.

User's Guide

The program is set up using NAMELIST input for ease of operation. This allows default parameter values to be specified and reduces the amount of input necessary for program execution. Typical space tug vehicle parameters are hard coded as default values and tug missions can be performed by simply specifying the desired initial and final orbits. The basic program philosophy is to use the orbital definitions to define whether the mission will be two or three burns. If the mission is circular to circular coplanar, or if the orbital elements are defined with no positions along the orbits given, or if the positions of the vehicle and target allow a two burn rendezvous, a two burn orbital transfer will be defined. Under all other conditions three burn transfers will be used. The integer NOTARG is used to control which portions of the program are executed. If NOTARG=-1 only targetting is performed. If NOTARG=1 a converged solution for the orbital transfer is read in using NAMELIST NAMSL2 and only the feedback guidance part of the program will be executed. If NOTARG is any other value both the targetting and guidance will be performed. The inputs and outputs and individual subroutines will be described in detail in the sections which follow.

Program Inputs

The program inputs are broken into three basic groups: those which define the vehicle's capabilities, those used to specify the initial and final orbits, and those used to define the Monte Carlo and perturbation parameters needed for feedback guidance evaluation.

A. Vehicle Constants

The following parameters are used to specify the vehicle, and must be in metric units. If specific impulse is inputted it is used to calculate mass rate. The default values for the parameters are typical of a space tug configuration.

<u>Name</u>	<u>Symbol</u>	<u>Definition</u>	<u>Default Value</u>
AM0	m_0	Initial vehicle mass in kg	28803.1155 kg (63500 lbs)
THRUST	T	Thrust in kilo-Newtons	66.7233 kn (15000 lbs)

<u>Name</u>	<u>Symbol</u>	<u>Definition</u>	<u>Default Value</u>
SPFIMP	I_{sp}	Specific impulse in seconds	440 sec
AMDOT	\dot{m}	Mass rate in kg/sec	15.4634 kg/sec

B. Orbit Specifications

The vehicle and target orbits may be specified in four separate ways listed as sets 1-4 below. (It is assumed that both will be specified in the same fashion.) For all of the orbital definitions the perigee directions must be equal and coincident with the line of intersection of the orbital planes. If sets 2, 3 or 4 are used to specify the orbits, these conditions are satisfied automatically due to the way the orbital positions and coordinate systems are defined. If position and velocity vectors and times (set 1) are specified, the program will test to see that the conditions are satisfied and will stop if the proper perigee and line of nodes alignment is not found. When set 1 is used to specify the data the relative inclination between orbits is measured from vehicle to target orbit at perigee. In all other cases relative inclination is set by the input data. If sets 2, 3 or 4 are used to specify the orbits and the true anomalies (TANOMØ and TANOMT) are greater than or equal to zero, they will be used to specify the orbital positions. If true anomalies are not specified and TØ and TT are greater than or equal to zero they will be assumed to be mean anomalies and used to specify the orbital positions. If neither of the anomalies are specified, the orbital positions will be arbitrarily chosen to allow a two burn rendezvous. If no complete set of vehicle and target orbital data is available, the program will print the existing data and stop.

<u>Name</u>	<u>Symbol</u>	<u>Definition</u>	<u>Default Value</u>
SET 1 [RØ(3), VØ(3), TØ	$\bar{r}_0, \bar{v}_0, t_0$	Position (km) and velocity (km/sec) vectors at t_0 for vehicle orbit	TØ=-1
RT(3), VT(3), TT	$\bar{r}_t, \bar{v}_t, t_t$	Position (km) and velocity (km/sec) vectors at t_t for target orbit	TT=-1

	Name	Symbol	Definition	Default Value
S E T 2	A \emptyset , E \emptyset	a $_0$, e $_0$	Semi-major axis (km) and eccentricity for vehicle orbit	0, -1
	AT, ET	a $_t$, e $_t$	Semi-major axis (km) and eccentricity for target orbit	0, -1
	RELINC	i	Signed relative inclination (deg) as measured from vehicle to target orbit	0
	TANOM \emptyset , TANOMT*	f	True anomalies (not required) (deg)	-1
	T \emptyset , TT *	M	Mean anomalies if true anomalies not specified (not required) (sec)	-1

* described more fully in text above

S E T 3	HAP \emptyset , HPG \emptyset	-	Height at apogee and perigee for vehicle orbit (km)	None
	HAPT, HPGT	-	Height at apogee and perigee for target orbit (km)	None
	RELINC	i	Same as set 2	0
	T \emptyset , TT, TANOM \emptyset , TANOMT		Same as set 2	-1
S E T 4	R \emptyset MAG, V \emptyset MAG, FLT \emptyset	R $_0$, V $_0$ α_0	Magnitude of position and velocity vectors (km) and flight angle between them for vehicle orbit	ROMAG: -1 FLT \emptyset : -1
	RTMAG, VT \emptyset MAG, FLT \emptyset	R $_t$, V $_t$ α_t	Same for target orbit	FLTT: -1
	RELINC		Same as set 2	0
	T \emptyset , TT, TANOM \emptyset , TANOMT		Same as set 2	-1

C. Feedback Guidance Parameters

In order to exercise the feedback guidance portion of the program and collect statistics on performance, the magnitude of the navigation update errors at the start of the first coast, at the start of the second coast and in the middle of the last burn need to be specified. The time between guidance updates on coast and burn arcs needs to be specified and the number of separate Monte Carlo runs and time between statistical samples defined. The acceleration noise added at each guidance cycle is set at five percent of the thrust during burns and about 1/2 of the worst case gravity errors during coasts and can be changed if desired.

<u>Name</u>	<u>Symbol</u>	<u>Definition</u>	<u>Default Value</u>
DELS(1)	Δt_b	Time between guidance updates during burns (sec)	20 sec
DELS(2)	Δt_c	Time between guidance updates during coasts (sec)	100 sec
NOISON	-	0 - no noise 1 - navigation and acceleration perturbations	0
SIGMAR(1),SIGMAV(1)	δ_R, δ_V	Standard deviation of position and velocity navigation errors (km/sec ²) at end of second from last burn (only used during 3-burn mission)	0
SIGMAR(2),SIGMAV(2)	δ_R, δ_V	Same at end of next to last burn (km/sec ²)	0
SIGMAR(3),SIGMAV(3)	δ_R, δ_V	Same in the middle of last burn (km/sec ²)	0
PERT(1)	δ_a	Standard deviation of acceleration errors during burns (added each guidance cycle) (km/sec ²)	$\frac{.05 * T}{m_0}$
PERT(2)	δ_a	Standard deviation of acceleration errors during coasts (km/sec ²)	$\frac{.5 \cdot 10^{-4}}{R_e^2}$

<u>Name</u>	<u>Symbol</u>	<u>Definition</u>	<u>Default Value</u>
MCARLO	-	Number of Monte Carlo cases to be run	1
PTB	-	Time between output samples during burns (sec)	10 sec
PTC	-	Time between output samples during coasts (sec)	100 sec

D. General Parameters

Included here are the remainder of the parameters which may be set by NAMELIST NAMLS1 input.

<u>Name</u>	<u>Symbol</u>	<u>Definition</u>	<u>Default Value</u>
NOTARG	-	-1 Targetting only 0 Targetting and feedback guidance 1 Guidance only using parameters read in by NAMELIST NAMLS2	0
NAVOFF	-	0 Convergence status printed whenever output sample is taken in guidance mode 1 No print	1
IOUTPT	-	Integer parameter defining output device	6
EERROR	δ_e	If eccentricity less than EERROR it is set equal to 0	.01
TERROR	δ_t	If tug or target within this time (sec) tolerance of node or some mean anomaly, considered at node or mean anomaly	10. sec
RERROR	δ_i	Differences in angles (relative inclination, etc) less than this tolerance will be ignored	.5 degrees
OBLATE	-	Weighting factor used in setting oblateness effects (subroutine PERTO)	0.0

<u>Name</u>	<u>Symbol</u>	<u>Definition</u>	<u>Default Value</u>
AXIS(I)	-	Axis of rotation of the earth, must be set in relation to coordinate system chosen by targeting when oblateness is activated	$\begin{pmatrix} 0 \\ 0 \\ 1 \end{pmatrix}$

E. NOTARG=1, Guidance Only Parameters (NAMSL2)

The following parameters will define the orbits of the target and vehicle, initial mass of the vehicle (all other vehicle parameters are set by NAMSL1 or default options), the initial costate vector and times array needed to define the burn and coast arcs.

<u>Name</u>	<u>Symbol</u>	<u>Definition</u>	<u>Default Value</u>
NBURNS	-	Number of burn arcs	2
X0, T0	\bar{x}_0, t_0	State of vehicle at start of mission. t_0 time at start of mission.	T0=-1
XT, TT	\bar{x}_T, t_T	State of target at time t_T	TT=-1
Q0	\bar{q}_0	Initial costate	None
AM0	m_0	Initial mass	28803.1155 kg (63500 lbs)
TIMES	-	Array of times defining start and end of coast and burn arcs	None

Program Output

The exact program output varies with the setting of the output control parameters NAVOFF, PTB, and PTC. The nature of the output, by subroutine, is as follows:

- ° MAIN - error messages, impulsive approximation summary, program notes of convergence status, and converged targetting summary
- ° AUXOUT - summary of current convergence status
- ° PHASE - error messages, orbit-type message (e.g. 'CIRCULAR/CIRCULAR INCLINED ORBITS'), coast messages (when states must be advanced until proper phasing exists), and phasing-orbit messages (including relative geometry, "desired" phasing orbit, and allowable phasing orbit)
- ° GLMNTS - orbital elements and designation as to whether they are representative of state at start or end of a burn.
- ° STATIS - Monte Carlo summary
- ° USTAT - state, costate, and magnitude of costate vectors

PTB and PTC control the sample collection times in guidance mode, and NAVOFF controls the shutoff of the convergence-status summary (from AUXOUT) during guidance mode. In addition, there exists an internal program variable, IPRINT, which when set to 1 produces voluminous output on each call to GUIDE, detailing state and costate at predefined times on each coast arc and orbital elements at the beginning and end of each burn. Because it gives so much output, and is unlikely to be needed over an entire run, IPRINT must be set within the program.

Subroutine MAIN

A. Purpose

The MAIN routine controls the overall operation of the targetting and guidance program. It has four major sections. The input section, which reads the input data described in a previous section and calculates the orbital and vehicle parameters needed to perform the targetting and guidance; the phasing and impulsive-initialization section which determines the number of burn arcs, rotates the target orbit into the vehicle orbit plane and calculates the planar impulsive solution for the orbit transfer; the convergence section which first converges from the planar impulsive solution to a finite burn solution and then repeatedly reconverges with the target orbit plane rotated in ten degree steps until the desired relative inclination is obtained; the feedback guidance section which exercises the GUIDE algorithm in a realtime guidance environment, continually reconverging in the presence of perturbations and collecting Monte Carlo statistics on the performance of the algorithm.

B. Major Parameters (Input parameters discussed in Section 3)

<u>Name</u>	<u>Symbol</u>	<u>Definition</u>
HPG \emptyset , HPGT, HPGX	-	Height at perigee for vehicle, target and transfer orbits (km.)
HAP \emptyset , HAPT, HAPX	-	Height at apogee for vehicle, target and transfer orbits (km.)
A \emptyset , AT, AX, AP	a	Semi-major axis for vehicle, target, transfer and phasing orbits (km.)
E \emptyset , ET, EX, EP	e	Eccentricity for respective orbits
VAP \emptyset , VAPT, VAPX, VAPP	$ \bar{V}_a $	Velocity magnitude at apogee for respective orbits (km/sec)
VPG \emptyset , VPGT, VPGX, VPGP	$ \bar{V}_p $	Velocity magnitude at perigee for respective orbits (km/sec)
TAU \emptyset , TAUT, TAUX, TAUP	τ	Period for respective orbits (sec.)
IBOUND	-	0 - Outbound mission 1 - Inbound mission

C. Method of Computation

After reading the data (as previously discussed), the routine determines whether a two burn mission will be sufficient. If the position and velocity vectors and the mean and true anomalies are not given, the true anomalies are arbitrarily chosen such that a two burn mission is possible. This is accomplished by choosing the vehicle state, for $T_0=2000$ seconds, at a node (perigee for outbound and apogee for inbound) in a coordinate system where perigee is in the x_1 direction. This forces the first burn to be centered at 2000 seconds and by choosing the target state at its opposite node (apogee for outbound and perigee for inbound) at $TT=2000 + TAUX/2.0$ (TAUX is period of desired transfer orbit) a two burn transfer is possible. For all other mission definitions the PHASE routine is called and it determines whether two burns will be sufficient and returns the state vectors defined at the time when the first burn is to begin.

Impulsive Initialization

An impulsive approximation is used as an initial guess for converging to the desired finite burn solutions. It is assumed that the optimal orbit transfer always has a burn centered about the greater apogee and this implies that the transfer orbit has as apogee the larger of the two apogees and as perigee the perigee of the other orbit. By calculating the velocities at apogee and perigee along the transfer orbit, the Δv 's required are easily determined. By converting these Δv 's to finite burn times, while assuming that the burns are centered at the respective nodes, and starting the mission 2000 seconds before the node, a reasonable time history for a coast-burn-coast-burn mission is defined. A reasonable estimate of initial costate \bar{q}_0 is also needed in order to converge the GUIDE algorithm. By investigating the impulsive case, it is determined that the direction of thrust at the node is parallel to the velocity vector and that the rate of change of thrust direction is anti-parallel to the radius vector. (The reverse directions when decreasing velocity is required, on inbound missions.) By noting that the $|\bar{q}_0|$ is arbitrary for the boundary value problem only one parameter was left to be determined, the relationship between the $|\bar{u}|$ and $|\bar{\dot{u}}|$. (Note: $\bar{q}_0^T = (\bar{u}^T, \bar{\dot{u}}^T)$.) Using the fact that the variations in \bar{r}, \bar{v} form the same class of solutions as $\bar{u}, \bar{\dot{u}}$, and applying the switching condition that $|\bar{u}|$ at perigee must equal the $|\bar{u}|$ at apogee, it was found that the impulsive solution for \bar{u} and $\bar{\dot{u}}$ at apogee and perigee becomes

$$\bar{u} = \bar{v} \left(\frac{r_a}{v_p} + \frac{r}{v} \right)$$

$$\dot{\bar{u}} = -\bar{r} \left(\frac{\mu}{r^3} \cdot \frac{r_a}{v_p} + \frac{v}{r} \right)$$

where r_a , v_a are the magnitudes of the position and velocity vectors at apogee; r_p , v_p are position and velocity magnitudes at perigee, and r , v are position and velocity magnitudes at either apogee or perigee (depending on where q_0 is desired) along the transfer orbit. In the program these formulas are further reduced and the $|\bar{u}|$ is chosen to be unit magnitude. The formulas become

$$\bar{u} = \frac{\bar{v}}{v}$$

$$\dot{\bar{u}} = -\bar{r} \cdot \text{FACTOR}$$

where for perigee the factor becomes

$$\text{FACTOR} = \frac{(1 + e_x/2 - e_x^2/2)\mu}{r_p^3 v_p} \quad e_x - \text{transfer orbit eccentricity}$$

and at apogee it is

$$\text{FACTOR} = \frac{\mu + v_a v_p r_a}{r_a^3 (v_p + v_a)}$$

When the mission is inbound and velocity needs to be reduced, the sign on both \bar{u} and $\dot{\bar{u}}$ is reversed. Since this q_0 is defined for the impulsive case it is good at the node and needs to be propagated back to T_0 , the chosen starting time for the mission. The two burn approximate solution is now completed and the program easily converges from this to the true solution.

The approximate solution for the three burn mission is identical to that of the two burn one, except for insertion of a phasing orbit of period TAUP. For the approximate solution the phasing orbit is assumed to have the same perigee as the transfer orbit and the vehicle orbit (outbound) or target orbit (inbound). This implies that the burn at perigee is split into two burns and TAUP is chosen in subroutine PHASE to allow these burns to be as

nearly equal as possible. The typical inbound mission approximate solution thus consists of an initial burn centered at apogee of the vehicle orbit, a coast from apogee to perigee along the transfer orbit, a second burn centered about perigee of the transfer orbit, a second coast of the orbital period (perigee to perigee) along the phasing orbit and a final burn centered again at perigee. The costate vector for the inbound 3 burn planar mission (plane change is added after initial convergence) was initialized using the same formulas as the two burn case and the inbound mission successfully converges.

For the three burn outbound mission, convergence proved to be more difficult. It was discovered that the switching condition along the transfer orbit coast was very sensitive, and that the peaking characteristic of $|\bar{u}|$ at apogee and perigee was impossible to maintain when the phasing orbit was encountered before the transfer orbit. It was found that by solving the mission backwards and integrating over the transfer orbit first, reasonable convergence was attained. In order to run the GUIDE algorithm backwards from apogee on the target orbit to perigee on the vehicle orbit with increasing mass it was necessary to make the orbits retrograde by changing the sign of their velocity vectors, to change the mass rate from positive to negative, to change the sign on initial \dot{u} , to reduce initial mass and to alter the TIMES array. The TIMES array for the backwards three burn outbound mission is initially targetting by choosing it to be

```
TIMES(1) = T0
TIMES(2) = TIMES(1) + BURN3
TIMES(3) = TIMES(2) + TAUX/2 - *BURN3 + BURN2)/2.0
TIMES(4) = TIMES(3) + BURN2
TIMES(5) = TIMES(4) + TAUP - (BURN2 + BURN1)/2.0
TIMES(6) = TIMES(5) + BURN1
```

Where BURN1 is the length of the burn at perigee of the vehicle orbit, BURN2 is the length of the burn at perigee of the phasing orbit, BURN3 is the length of the burn at apogee of the transfer orbit and TAUX and TAUP are the periods of the transfer and phasing orbits respectively. The initial mass is reduced to

$$m_0 = m_0 - \dot{m}(BURN1 + BURN2 + BURN3)$$

where \dot{m} is positive. $Q0$ is initialized at apogee of the transfer orbit and then the last three components are changed in sign (\dot{u}).

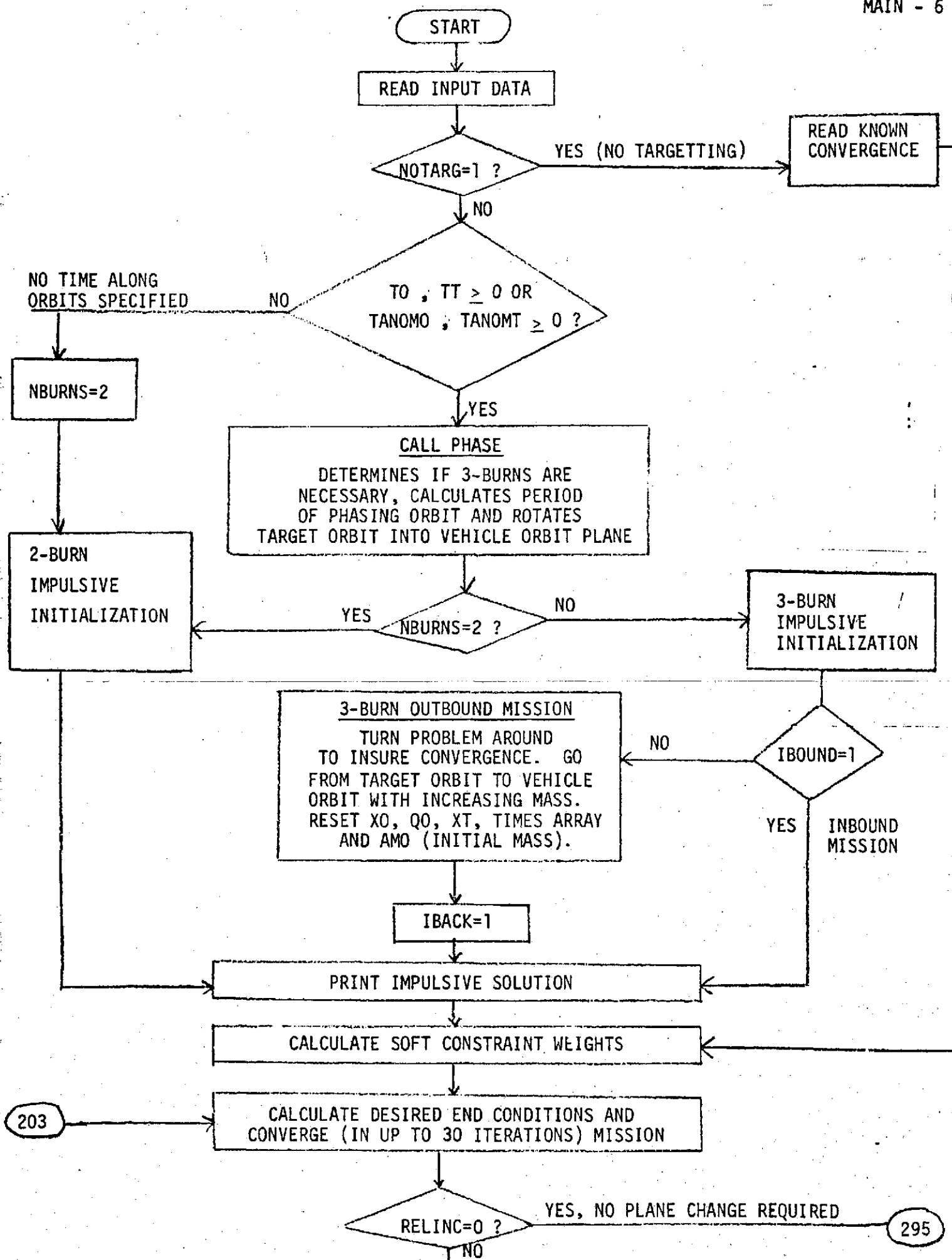
Mission Convergence

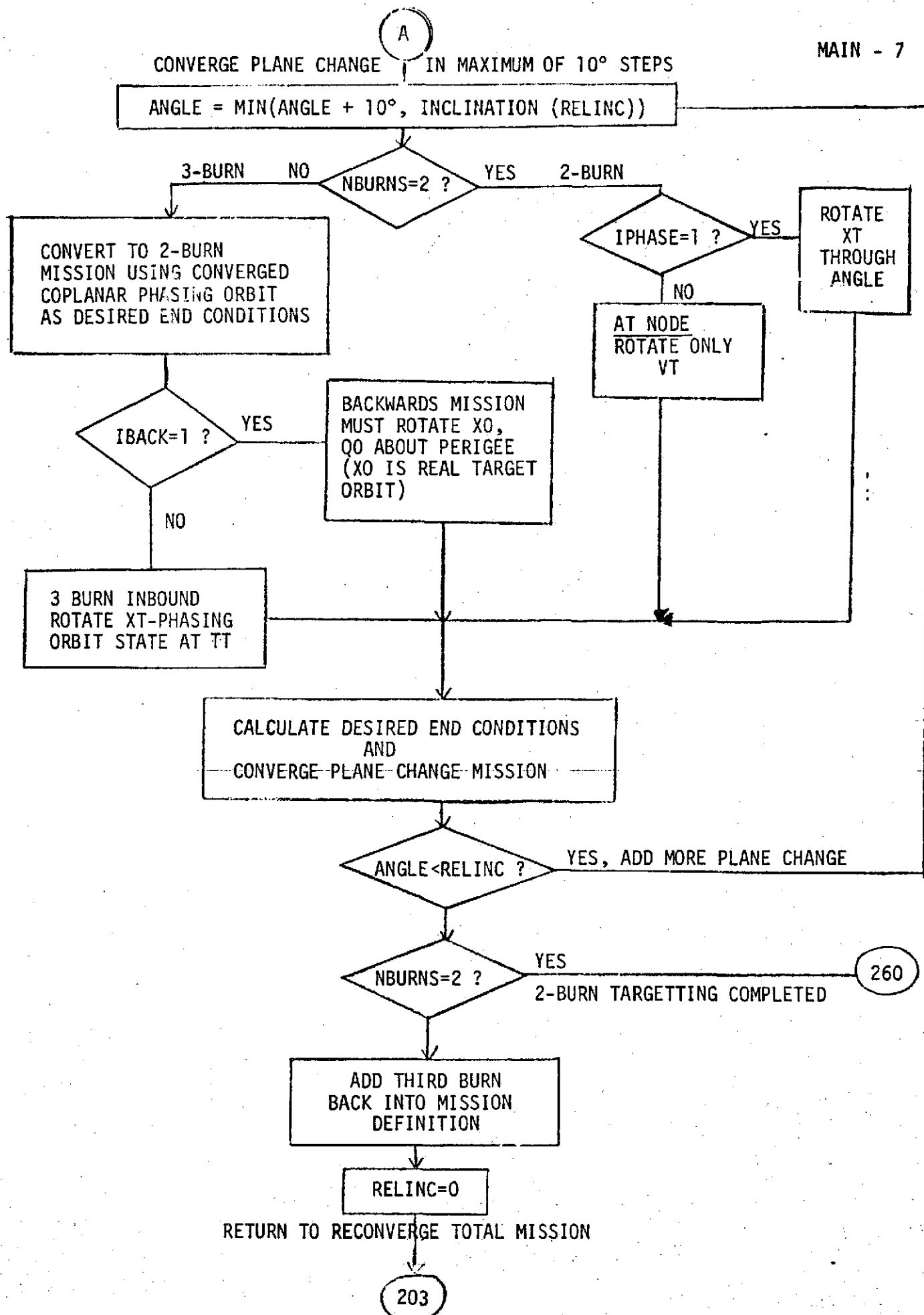
Using these approximate solutions for the two and three burn missions, the planar missions are converged in less than twenty iterations. At this point the relative inclination, RELINC, between the target and vehicle orbits is tested and if it exceeds some minimum value, the mission is altered to include the desired plane change. The target orbit is rotated in maximum of 10° steps from the vehicle orbital plane, and is reconverged at each step in the process. The two burn missions converged readily using this procedure but it was necessary to alter the three burn missions to two burn ones to obtain good convergence properties. This was accomplished by replacing the lowest orbit (target orbit for inbound and vehicle orbit for outbound) by the phasing orbit found during the planar mission convergence. The inbound mission is converged as a two burn one with the desired end conditions being the phasing orbit rotated about perigee. The outbound mission is converged backwards rotating at each step the target orbit as well as initial costate and converging to the phasing orbit. After inclusion of the total desired angular rotation, the third burn is again introduced into the mission definition and convergence for the three burn mission is attained. The outbound 3-burn mission is then turned around and solved in a forwards fashion using the final costate as initial costate and the burn and coast times derived from the backwards convergence.

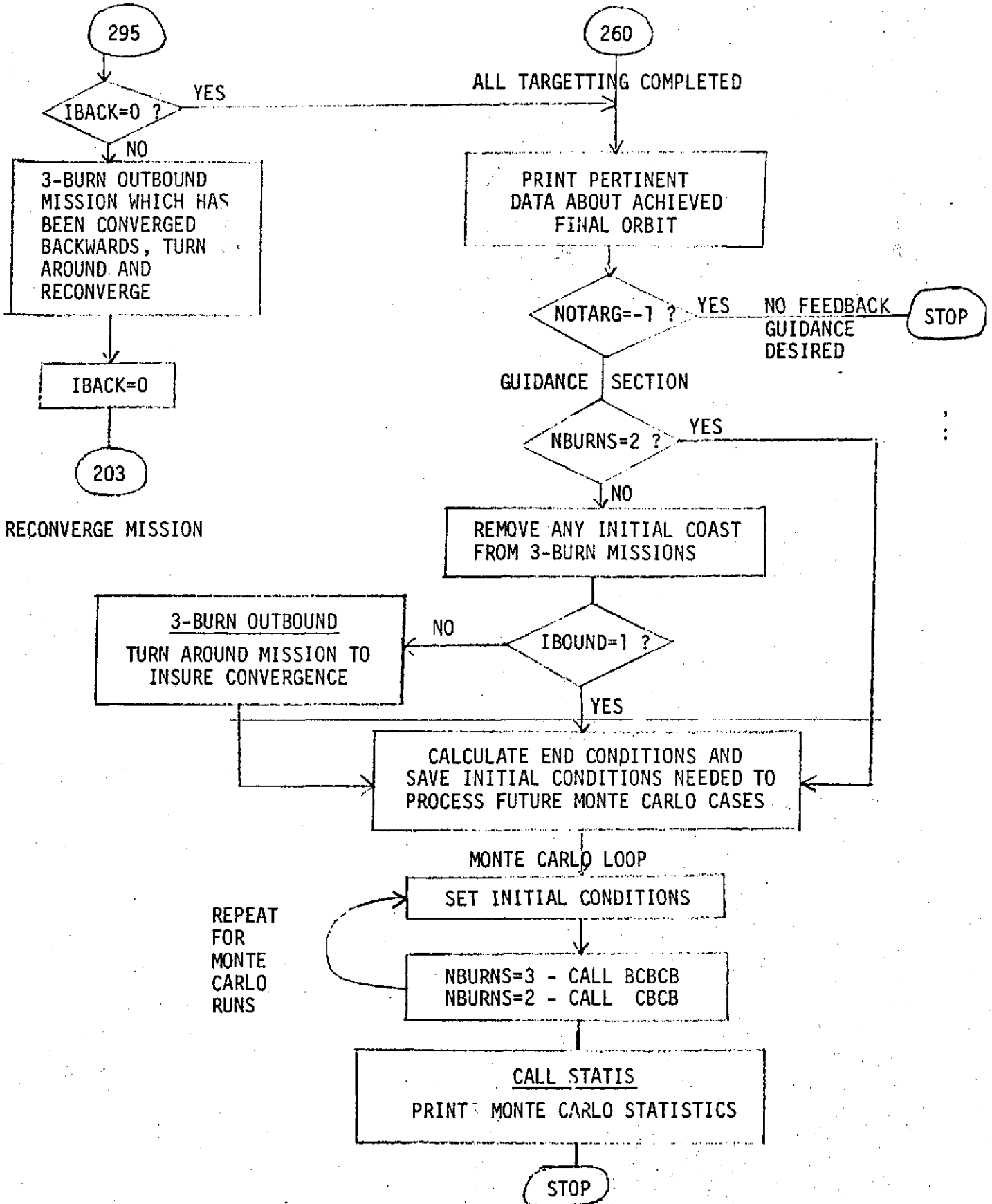
Feedback Guidance

At this point targetting is completed and a converged solution exists for guiding the vehicle into the target orbit. In the MAIN routine the major guidance function performed is to control the collection of and print the Monte Carlo statistics generated when doing feedback guidance. The routines BCBCB and CBCB called by MAIN add perturbations into the state of the vehicle and move step by step in time through a full feedback guidance cycle. At several points along each burn and coast arc, error statistics are gathered and an estimate is made of the error in meeting desired end conditions. These statistics are collected over MCARLO separate orbital transfers and a summary printout is obtained from routine STATIS.

This completes the description of the MAIN routine. A math flowchart of it is contained on the next three pages.







```

IMPLICIT REAL*8(A-H,O-Z)
COMMON /BVLDT/XTF(6),DELTC(6)
COMMON /CSTAT/DATAM(5,16,9),DATAV(5,16,2)
COMMON /ONLINE/PRINT
COMMON /CAIN/AXIS(3)
COMMON /CPERT/PERT(3),DTYPE(2)
COMMON /DDLVIC/IDUTPT

C NOTE: THE NEXT COMMON BLOCK INTERFACES ONLY WITH THE IBM RANDOM NUMBER
C GENERATOR. AN ALTERNATE METHOD IS REQUIRED TO INPUT A SEED TO THE
C GENERATOR USED IN SUBROUTINE FORWARD TO ADD RANDOM ACCELERATION NOISE
C TO THE TUG AND (OPTIONALLY) TARGET STATE.
COMMON /RNI/NRNDAR(4)
COMMON /GIDIN/XT(6),ET,XG(6),TO,AMG,VEH(10,7),QU(6),TIMES(6),CC(6)
COMMON /GIDOUT/DQO(6),DTIMES(6),DUM1(12,13),X(6),Q(6),DUM2(12,12),
1 DD(6),DUM3(5)
COMMON /CINDEX/IDUM4, IDUM5, IDUM6, IDUM7, IDUM8, IDUM9, ND, NDP, IDUM10
COMMON /CMODE/MODE, IDUM11, IDUM12
COMMON /CCK/CK
COMMON /CWT/WEIGHT(6)
COMMON /CPHYS/UK, RELARTH, DUM13, DUM14, DUM15, DBLATE
COMMON /CACCEL/VEKOR(3), NOISON
COMMON /UPDATE/UPDAT
COMMON /CNAV/TRUEMS, INAV, TACUM, IDUT
COMMON /OFFNAV/NAVOFF
COMMON /CLOCK/ATCLOCK
COMMON /CPHASE/ AO, EO, AT, ET, RELINC, TAUX, PRGEE(3), HTUG( )
COMMON /ERRURE/ELRROR, TERROR, RERROR
COMMON /COST/ QT(6)
COMMON /NAVUP/SIGMAR(3), SIGMAV(3)
COMMON /INTVAL/PTB, PTC
DIMENSION RO(3), VO(3), RT(3), VT(3), PTV(12), TUGSAV(6)
DIMENSION VEH5(7)
DIMENSION XGS(6), QGS(6), CCS(6), TIMES5(6), XTS(6), QTS(6)
DIMENSION RTA(3), VTA(3), HA(3), PCA(3), BETA(3)
DIMENSION VTSAVE(3), STATL(6)
DIMENSION ZH(3), ZHAR(3), PHI(6,6), QDUM(6), XPHASE(6)
NAMLIST/NAMLS1/NDIARG, TO, TT, AXIS, DBLATE, DTYPE, PERT, AMG, THRUST,
1 AMOUT, SPFIMP, RO, VO, RT, VT, RELINC, AO, EO, AT, ET, HAP0, HPG0, HAPMAI
2 T, HPGT, ROMAG, VOMAG, RTMAG, VTMAI, FLT0, FLTT, IDUTPT, LERROR,
3 TERROR, RERROR, SIGMAR, SIGMAV, PTB, PTC, MCARLU, TA, LOMO, TANOMT,
4 NAVOFF, NOISON
NAMLIST/NAMLS2/XG, XT, QU, TIMES, AMG, TO, TT, NBURNS, IDUND
C * * * * * INITIALIZE CONSTANTS * * * * *
C
C PI
PI=3.14159267
C DEGREE TO RADIAN CONVERSION
DEGCON=PI/180.
C RADIUS OF EARTH IN KM.
REARTH=6378.165
C EARTH GRAVITATIONAL CONSTANT IN KM**3/SEC**2
UK=398601.5
C
C * * * * * INITIALIZE VEHICLE CHARACTERISTICS * * * * *

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FILE: MAIN FORTRAM P1

CAMBRIDGE MONITOR SYSTEM

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C * * * * * ENGLISH TO METRIC CONVERSIONS * * * * * MA100055
C 1 POUND THRUST= .00444822165 KILONEWTONS MA100057
C HENCE, THRUST(KN)=THRUST(LB)*.00444822165 MA100058
C MA100059
C 1 POUND MASS= .4536 KILOGRAMS MA100060
C HENCE, MASS(KG)=MASS(LBS)*.4536 MA100061
C MA100062
C MASS RATE (KG/SEC)= THRUST(LBS)/ISP(SEC)*.4536 KG/LB MA100063
C =(THRUST(KN)/.00444822165)/ISP(SEC)*.4536 MA100064
C =THRUST(KN)/ISP*101.9716 MA100065
C MA100066
C MA100067
C INITIAL MASS IN KILOGRAMS MA100068
AM0=28803.1155 MA100069
C THRUST IN KILONEWTONS MA100070
THRUST=66.7233 MA100071
C SPECIFIC IMPULSE IN SEC. MA100072
SPEIMP=440. MA100073
C MASS RATE IN KG/SEC MA100074
AMOUT=-1.0 MA100075
C MA100076
C * * * * * INITIALIZE VARIABLES * * * * * MA100077
C MA100078
C SET INPUT DEVICE MA100079
INPUT=1 MA100080
C SET OUTPUT DEVICE MA100081
IOUTPT=6 MA100082
C SET TIME TOLERANCE (SECONDS) USED TO DETERMINE IF TUG OR TARGET IS MA100083
CLOSE ENOUGH TO A NODE OR DESIRED MEAN ANOMALY. MA100084
ERROR=10. MA100085
C SET ANGLE TOLERANCE (DEGREES). DIFFERENCES IN ANGLES LESS THAN ERROR MA100086
WILL BE IGNORED. MA100087
ERROR=.5 MA100088
C SET ECCENTRICITY TOLERANCE. ORBITS WITH ECCENTRICITIES LES. THAN MA100089
C ERROR WILL BE TREATED AS CIRCULAR. MA100090
ERROR=.01 MA100091
C SET TIMES TO, TT, TO -1.0 TO INDICATE A 2-BURN MISSION. MA100092
C IF THEY ARE CHANGED BY THE INPUT DATA, A 3-BURN MISSION IS ASSUMED. MA100093
TO=-1.0 MA100094
TT=-1.0 MA100095
C SET INPUT VARIABLES TO -1.0 OR 0.0 TO INDICATE THAT THEY HAVE NOT MA100096
BEEN READ IN THROUGH NAMELIST. MA100097
CK=1.0 MA100098
AO=0.0 MA100099
EO=-1.0 MA100100
AT=0.0 MA100101
ET=-1.0 MA100102
RELINE=0.0 MA100103
HAP0=-1.0 MA100104
HPG0=-1.0 MA100105
HAPT=-1.0 MA100106
HPGT=-1.0 MA100107
FLT0=-1.0 MA100108
FLIT=-1.0 MA100109
TAN040=-1.0 MA100110

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FILE: MAIN

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CAMBRIDGE MONITOR SYSTEM

TANUMT=1.0	MA100111
ROMAG=-1.0	MA100112
DO 5 I=1,3	MA100113
RO(I)=0.0	MA100114
VO(I)=0.0	MA100115
RI(I)=0.0	MA100116
5 VT(I)=0.0	MA100117
NBURNS=2	MA100118
IUPDAT=0	MA100119
NOISON=0	MA100120
NAVUFF=1	MA100121
NOTARG=0	MA100122
PTJ=50.	MA100123
PTC=2000.	MA100124
PRGEE(1)=1.0	MA100125
PRGEE(2)=0.0	MA100126
PRGEE(3)=0.0	MA100127
IPHASE=0	MA100128
IBACK=0	MA100129
ITURNR=0	MA100130
IBOUND=0	MA100131
IPRINT=0	MA100132
C DIRECTION OF EARTH'S AXIS IN REFERENCE COORDINATE SYSTEM.	MA100133
C TUG ORBIT IS CONSIDERED EQUATORIAL. TO USE STATES IN ANOTH R CARTESIAN	MA100134
C SYSTEM, THE VECTOR R AXIS MUST BE CHANGED TO REFLECT THE NEW SYSTEM.	MA100135
AXIS(1)=0.0	MA100136
AXIS(2)=0.0	MA100137
AXIS(3)=1.0	MA100138
C OBLATENESS	MA100139
OBLATE=0.0	MA100140
C STEP SIZE IN GUIDANCE MODE DURING BURN.	MA100141
DTYPE(1)=20.	MA100142
C STEP SIZE IN GUIDANCE MODE DURING COAST.	MA100143
DTYPE(2)=100.	MA100144
C ZERO ARRAYS	MA100145
DO 1 I=1,12	MA100146
1 RTV(I)=0.0	MA100147
DO 3 I=1,5	MA100148
DO 3 J=1,10	MA100149
DO 2 K=1,8	MA100150
2 DATAM(1,J,K)=0.0	MA100151
DATAV(1,J,1)=0.0	MA100152
DATAV(1,J,2)=0.0	MA100153
3 DATAM(1,J,9)=0.0	MA100154
DO 4 I=1,3	MA100155
PERI(I)=0.0	MA100156
SIGMAR(I)=0.0	MA100157
4 SIGMAV(I)=0.0	MA100158
NCARLO=1	MA100159
C SET TRANSVERSALITY CONDITION TO ZERO.	MA100160
TV=0.0	MA100161
C SET SEEDS FOR IBM-LOCAL RANDOM NUMBER GENERATOR. THE NEXT 4 LINES MAY	MA100162
C BE DROPPED, ALONG WITH COMMON BLOCK RNI, SO LONG AS A RANDOM NORMAL	MA100163
C (MEAN 0, VARIANCE 1) NUMBER GENERATOR IS SUBSTITUTED.	MA100164
NNRNL(1)=0	MA100165

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CAMBRIDGE MONITOR SYSTEM

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      NNNARL(2)=0
      NNNARL(3)=33737
      NNNARL(4)=0
C READ INPUT FROM NAMELIST.
      READ(INPUT,NAMLS1)
C COMPUTE MASS RATE IF NOT READ IN.
      IF(AMDOT.LT.0.0) AMDOT=THRUST/SPEIMP*101.9716
C PERTURBATIONS IN TUG ACCELERATION DURING GUIDANCE. PERT(1) IS DURING
C A BURN AND PERT(2) DURING A COAST. PERT(3) CAN BE USED FOR INTRODUCING
C PERTURBATIONS IN THE TARGET ACCELERATION.
      IF(PERT(1)+PERT(2).GT.1.0-5) GO TO 6
C
C
      PERT(1)=.05*THRUST/AM0
      PERT(2)=.00005*UK/(6700.**2)
6 CONTINUE
C STORE VEHICLE SPECS IN WORKING ARRAY VEH(10,7)
      VEH(1,1)=AM0
      VEH(1,2)=AMDOT
      VEH(1,3)=10000.
      VEH(1,4)=THRUST
      VEH(1,5)=0.0
      VEH(1,6)=0.0
      VEH(1,7)=25.0
C CHECK IF GUIDANCE IS DESIRED WITHOUT PRELIMINARY TARGETTING (OPTIMAL
C SOLUTION ALREADY EXISTS). A PASS WILL BE MADE THROUGH A CONVERGENCE
C LOOP TO INSURE THAT THE SOLUTION IS VALID.
      IF(NOTARG.EQ.1) ITURNR=3
      IF(NOTARG.EQ.1) GO TO 204
C TARGETTING IS DESIRED.DETERMINE IF A 2 OR 3-BURN MISSION IS DESIRED.
C IF TO.GE.0.0 AND TT.GE.0.0, A 3-BURN IS ASSUMED.
C ALSO, IF THE TRUE ANOMALIES WERE SPECIFIED, A 3-BURN MISSION IS
C ASSUMED.
      IF(TO.GE.0.0.AND.TT.GE.0.0) GO TO 500
      IF(TANOM0.GE.0.0.AND.TANOM1.GE.0.0) GO TO 500
C
C
C * * * * * TWO-BURN MISSION SPECIFIED * * * * *
C
C CHECK FOR COMPLETE SET OF 2-BURN INPUT DATA.
C CHECK FIRST WHETHER SEMI-MAJOR AXIS (A0) AND
C ECCENTRICITY (E0) OF INITIAL ORBIT AND (AT,ET) OF FINAL
C ORBIT WERE SPECIFIED.
      IF(A0.GT.REARTH.AND.E0.GE.0.0.AND.AT.GT.REARTH.AND.ET.
      1GE.0.0) GO TO 100
C (A0,E0) AND (AT,ET) WERE NOT SPECIFIED. CHECK IF HEIGHTS AT APOGEE
C AND PERIGEE (KM) WERE SPECIFIED.
      IF(HAPG.GE.0.0.AND.HPGG.GE.0.0.AND.HAPT.GE.0.0.AND.HPGT.GE.0.0)
      1 GO TO 50
C HEIGHTS NOT SPECIFIED. CHECK IF MAGNITUDES OF POSITION AND VELOCITY
C AND FLIGHT ANGLES WERE SPECIFIED.
C THE FLIGHT ANGLE IS DEFINED AS THE ANGLE BETWEEN THE POSITION AND
C VELOCITY VECTOR, MEASURED IN THE DIRECTION OF ORBITAL MOTION. IT IS
C LE 90 DEGREES BETWEEN PERIGEE AND APOGEE, AND GE 90 DEGREES BETWEEN
C APOGEE AND PERIGEE, AND DETERMINES THE ANGULAR MOMENTUM THROUGH RMAG*
C VMAG*DABS(SIN(FLT))

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FILE: MAIN

FORTRAN P1


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IF(ROMAG.GE.REARTH.AND.VOMAG.GE..1.AND.FLT0.GE.0.0.AND      MA100221
1  RTMAG.GE.REARTH.AND.VTMAG.GE..1.AND.FLTT.GE.0.0) GO TO 75  MA100222
C ALLOWABLE SET OF DATA FOR 2-BURN MISSION WAS NOT READ IN.  JUMP  MA100223
C-VARIABLES-AND-TERMINAL.  MA100224
WRITE(IOUTPT,3000)  MA100225
3000 FORMAT(' EXECUTION TERMINATING. IMPROPER DATA SPECIFIED FOR 2-BURNMA100226
1 MISSION')  MA100227
WRITE(IOUTPT,3001) AO,E0,AT,ET,RELINC  MA100228
3001 FORMAT(' SET 1 -',/, ' AO=',D14.6, ' E0=',D14.6, ' AT=',D14.6,  MA100229
1 ' ET=',D14.6, ' RELINC=',D14.6,/)  MA100230
25 WRITE(IOUTPT,3002) HAP0,HPG0,HAPT,HPGT,RELINC  MA100231
3002 FORMAT(' SET 2 -',/, ' HAP0=',D14.6, ' HPG0=',D14.6, ' HAPT=',D14.6,  MA100232
1 ' HPGT=',D14.6, ' RELINC=',D14.6,/)  MA100233
WRITE(IOUTPT,3003) ROMAG,VOMAG,FLT0,RTMAG,VTMAG,FLTT,RELINC  MA100234
3003 FORMAT(' SET 3 -',/, ' ROMAG=',D14.6, ' VOMAG=',D14.6, ' FLT0=',D14.6  MA100235
1,/, ' RTMAG=',D14.6, ' VTMAG=',D14.6, ' FLTT=',D14.6, ' RELINC=',D14.6  MA100236
1,/)  MA100237
STOP  MA100238
C-CONVERT-HEIGHTS-AT-APOGEE-AND-PERIGEE-INTO-ORBITAL-ELEMENTS.  MA100239
50 AO=REARTH+(HAP0+HPG0)/2.  MA100240
E0=(HAP0+REARTH)/AO-1.0  MA100241
IF(E0.LT.EERROR) E0=0.0  MA100242
AT=REARTH+(HAPT+HPGT)/2.  MA100243
ET=(HAPT+REARTH)/AT-1.0  MA100244
IF(ET.LT.EERROR) ET=0.0  MA100245
GO TO 110  MA100246
C CONVERT POSITION,VELOCITY AND FLIGHT ANGLES TO ORBITAL ELEMENTS.  MA100247
75 AO=UK*ROMAG/(2.*UK-VOMAG**2*ROMAG)  MA100248
HOMAG=DABS(ROMAG*VOMAG*DSIN(FLT0*DEGCON))  MA100249
E0=DSQRT(1.-HOMAG**2/(AO*UK))  MA100250
IF(E0.LT.EERROR) E0=0.0  MA100251
AT=UK*RTMAG/(2.*UK-VTMAG**2*RTMAG)  MA100252
HTMAG=DABS(RTMAG*VTMAG*DSIN(FLTT*DEGCON))  MA100253
LT=DSQRT(1.-HTMAG**2/(AT*UK))  MA100254
IF(ET.LT.EERROR) ET=0.0  MA100255
100 HAP0=AO*(1.+E0)-REARTH  MA100256
HPG0=AO*(1.-E0)-REARTH  MA100257
HAPT=AT*(1.+ET)-REARTH  MA100258
HPGT=AT*(1.-ET)-REARTH  MA100259
IF(HPG0.GT.0.0.AND.HPGT.GT.0.0) GO TO 110  MA100260
WRITE(IOUTPT,3150) HPG0,HPGT  MA100261
3150 FORMAT(' EXECUTION TERMINATING.',/, ' HEIGHT AT PERIGEE OF TUG='  MA100262
1,D14.6,/, ' HEIGHT AT PERIGEE OF TARGET=',D14.6)  MA100263
STOP  MA100264
C  MA100265
C-DETERMINE INITIAL AND FINAL RADII. TEST FIRST IF AN INBOUND OR  MA100266
C OUTBOUND MISSION. IF APOGEE OF THE TARGET ORBIT IS LESS THAN APOGEE  MA100267
C OF THE TUG ORBIT, AN INBOUND MISSION IS ASSUMED.  MA100268
C-CHECK-FOR-GRATER-APOGEE.  MA100269
110 IF(HAP0.GT.HAPT) GO TO 125  MA100270
C OUTBOUND MISSION (FROM PERIGEE TO APOGEE).  MA100271
IBOUND=0  MA100272
RI=REARTH+HPG0  MA100273
RF=REARTH+HAPT  MA100274
GO TO 150  MA100275

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C INBOUND MISSION (FROM APOGEE TO PERIGEE). MA100276
125 IBOUND=1 MA100277
    RI=REARTH+HAPG MA100278
    RF=REARTH+HPGT MA100279
C CALCULATE INITIAL AND FINAL VELOCITIES. MA100280
150 VI=DSQRT(UK*(2./RI-1./AO)) MA100281
    VF=DSQRT(UK*(2./RF-1./AT)) MA100282
C DETERMINE VELOCITIES AT END POINTS OF TUG, TARGET ORBITS. MA100283
    VAPG=DSQRT(UK*(2./(HAPG+REARTH)-1./AO)) MA100284
    VPGG=DSQRT(UK*(2./(HPGT+REARTH)-1./AO)) MA100285
    VAPT=DSQRT(UK*(2./(HAPT+REARTH)-1./AT)) MA100286
    VPGT=DSQRT(UK*(2./(HPGT+REARTH)-1./AT)) MA100287
C DEFINE STATES IN ARBITRARY COORDINATE SYSTEM, UNLESS ONE IS IMPLIED. MA100288
C THROUGH THE STATE VECTORS (PHASE WAS CALLED). THE TUG WILL BE LOCATED MA100289
C AT PERIGEE/APOGEE AND THE TARGET AT APOGEE/PERIGEE DEPEND(ING ON THE MA100290
C VALUE OF IBOUND. PERIGEE IS IN THE DIRECTION (1,0,0) AND THE H MA100291
C VECTOR IN THE DIRECTION (0,0,1) MA100292
C IF IPHASE=1, THE STATE VECTORS WERE SET UP IN SUBROUTINE PHASE. MA100293
    IF (IPHASE.EQ.1) GO TO 175 MA100294
    SIGN=1.0 MA100295
    IF (IBOUND.EQ.1) SIGN=-1.0 MA100296
    R0(1)=RI*SIGN MA100297
    R0(2)=0.0 MA100298
    R0(3)=0.0 MA100299
    V0(1)=0.0 MA100300
    V0(2)=VI*SIGN MA100301
    V0(3)=0.0 MA100302
    RT(1)=-RF*SIGN MA100303
    RT(2)=0.0 MA100304
    RT(3)=0.0 MA100305
    VT(1)=0.0 MA100306
    VT(2)=-VF*SIGN MA100307
    VT(3)=0.0 MA100308
C SET UP TRANSFER ORBIT MA100309
175 AX=(RI+RF)/2. MA100310
    EX=DMAX1(RI,RF)/AX-1.0 MA100311
    HAPX=AX*(1.+EX)-REARTH MA100312
    HPGX=AX*(1.-EX)-REARTH MA100313
    VAPX=DSQRT(UK*(2./DMAX1(RI,RF)-1./AX)) MA100314
    VPGX=DSQRT(UK*(2./DMIN1(RI,RF)-1./AX)) MA100315
C DEFINE DELTA V'S (+ OR -) MA100316
C THE INITIAL DELTA V IS DEFINED AS THE VELOCITY AT THE APOGEE/PERIGEE MA100317
C ON THE TRANSFER ORBIT MINUS THE INITIAL VELOCITY. THE FINAL DELTA V IS MA100318
C DEFINED AS THE FINAL VELOCITY MINUS THE VELOCITY AT PERIGEE/APOGEE ON MA100319
C THE TRANSFER ELLIPSE. MA100320
    IF (IBOUND.EQ.1) GO TO 180 MA100321
    DELTVI=VPGX-VI MA100322
    DELTVF=VF-VAPX MA100323
    VELXFR=VPGX MA100324
    GO TO 195 MA100325
180 DELTVI=VAPX-VI MA100326
    DELTVF=VF-VPGX MA100327
    VELXFR=VAPX MA100328
C DETERMINE ORBITAL PERIODS. MA100329
195 TAU0=2.*PI*DSQRT(AO**3/UK) MA100330

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      TAUX=2.*PI*DSQR(A**3/UK)
      TAUT=2.*PI*DSQR(AT**3/UK)
      C DETERMINE FINITE BURNS FROM DESIRED DELTA V'S AND INITIAL MASS.
      BURN1=-AM0/AMDOT*(DEXP(-AMDOT*DABS(DELTV1)/THRUST)-1.0)
      DELTAM=BURN1*AMDOT
      BURN2=-((AM0-DELTAM)/AMDOT*(DEXP(-AMDOT*DABS(DELTVF)/THRUST)-1.0)
      COAST1=TAUX/2.+(BURN1+BURN2)/2.
      C SET UP TIMES ARRAY FOR 2-BURN MISSION WITH TIME T0=0 ARBITRARILY 2000
      C SECONDS BEFORE THE TUG IS DUE AT THE NODE, UNLESS T0 AND TT WERE
      C ORIGINALLY SPECIFIED AS .GE. 0.0 (IPHASE=1) IN WHICH CASE T0 IS
      C RUN BACK BY 2000 SEC, SO LONG AS IT IS .GE. 0.0 .
      TIMES(1)=0.0
      TIMES(2)=0.0
      IF(IPHASE.EQ.0) GO TO 196
      SHIFT=0.0
      IF(T0-2000..LT.0.0) SHIFT=2000.-T0
3050  FORMAT(' TIME SCALE CHANGED BY',F10.2,' SECONDS TO ALLOW FOR INITI
      IAL COAST.',/, ' T0 AND TT NOW EQUAL 0.0 AND',F10.2)
      IF(T0-2000.0.LT.0.0) TT=TT+2000.-T0
      IF(T0-2000.0.LT.0.0) T0=0.0
      IF(SHIFT.GT..001) WRITE(10UTPT,3050) SHIFT,TT
      IF(T0.GT.0.001) T0=T0-2000.
      GO TO 197
196  TT=2000.+TAUX/2.
      T0=0.0
197  TIMES(3)=2000.-BURN1/2.+T0
      TIMES(4)=TIMES(3)+BURN1
      TIMES(5)=TIMES(4)+COAST1
      TIMES(6)=TIMES(5)+BURN2
      C STORE THE TUG AND TARGET STATES IN THE WORKING VARIABLES X,XT
      DO 200 I=1,3
      X0(I)=R0(I)
      X0(I+3)=V0(I)
      XT(I)=RT(I)
200  XT(I+3)=VT(I)
      C DEFINE IMPULSIVE COSTATE. U IS OF UNIT MAGNITUDE AND ALONG VELOCITY
      C VECTOR AT THE NODE AND U-DOT IS ALONG THE EARTH RADIUS VEC. DR.
      IF(IBOUND.EQ.1) GO TO 2005
      SIGN=1.0
      FACTOR=(1.+EX/2.-EX**2/2.)*UK/(R1**3*VELXFR)
      GO TO 2007
2005 SIGN=-1.0
      FACTOR=(UK+VAPX*VRGX*(HAPX+REARTH))/((HAPX+REARTH)**3*(VAPX+VRGX))
2007 CONTINUE
      DO 201 I=1,3
      Q0(I)=X0(I+3)/V1*SIGN
201  Q0(I+3)=-X0(I)*FACTOR*SIGN
      NU=0
      C COAST TUG BACK ARBITRARY 2000 SEC. BEFORE START OF THE 1ST BURN.
      CALL COAST(X0,Q0,-2000.,X0,Q0,PH1,PH1)
      TBEGIN=TIMES(3)
      GO TO 202
      C * * * * * THREE-BURN MISSION * * * * *
      C
      C A 3-BURN MISSION IS ASSUMED, UNLESS THE PHASING WILL ALLOW

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FILE: MAIN

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CAMBRIDGE MONITOR SYSTEM

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C-A 2-BURN MISSION. CHECK IF THE TUG AND TARGET STATES WERE SPECIFIED. MA100386
500 NBURNS=3 MA100387
    IF(ROMAG.GT.0.0) GO TO 501 MA100388
    ROMAG=DSQRT(R0(1)**2+R0(2)**2+R0(3)**2) MA100389
    VOMAG=DSQRT(V0(1)**2+V0(2)**2+V0(3)**2) MA100390
    RTMAG=DSQRT(RT(1)**2+RT(2)**2+RT(3)**2) MA100391
    VTMAg=DSQRT(VT(1)**2+VT(2)**2+VT(3)**2) MA100392
    IF(ROMAG.GT.REARTH.AND.VOMAG.GT..1.AND. MA100393
        1 RTMAG.GT.REARTH.AND.VTMAG.GT..1) GO TO 500 MA100394
C-STATES WERE NOT SPECIFIED. CHECK IF ORBITAL ELEMENTS WERE. MA100395
    IF(AU.GE.REARTH.AND.EU.GE.0.0.AND. MA100396
        1 AT.GE.REARTH.AND.LT.GE.0.0) GO TO 510 MA100397
C-CHECK IF HEIGHTS AT APOGEE AND PERIGEE (KM) WERE SPECIFIED. MA100398
    IF(HAPO.GE.0.0.AND.HPGO.GE.0.0.AND.HAPT.GE.0.0 MA100399
        1 .AND.HPGT.GE.0.0) GO TO 505 MA100400
C-CHECK IF MAGNITUDES OF POSITION AND VELOCITY AND FLIGHT MA100401
C-ANGLES WERE SPECIFIED. ( FLIGHT ANGLE DEFINED IN 2-BURN COMMENTS.) MA100402
501 IF(ROMAG.GE.REARTH.AND.VOMAG.GE..1.AND.FLTO.GE.0.0.AND. MA100403
    1RTMAG.GE.REARTH.AND.VTMAG.GE..1.AND.FLTT.GE.0.0) GO TO 507 MA100404
C INADEQUATE ELEMENTS SPECIFIED. STOP. MA100405
    WRITE(IOUTPT,3100) R0,V0,RT,VT,RELINC,A0,E0,AT,ET MA100406
-3100- FORMAT(' EXECUTION TERMINATING. IMPROPER DATA SPECIFIED FOR 3-BURN MA100407
    1 MISSION.',/, ' SET 1 -',/, ' R0=',D14.6, ' V0=',D14.6,/, ' RT=',D14.6, MA100408
    24.6, ' VT=',D14.6,/, ' RELINC=',D14.6,/, ' SET 2 -',/, ' A0=',D14.6, MA100409
    3 ' E0=',D14.6, ' AT=',D14.6, ' ET=',D14.6,/) MA100410
    GO TO 25 MA100411
C MA100412
C-CONVERT HEIGHTS INTO ORBITAL ELEMENTS. MA100413
505 A0=REARTH+(HAPO+HPGO)/2.0 MA100414
    E0=(HAPO+REARTH)/A0-1.0 MA100415
    IF(E0.LT.ERROR) E0=0.0 MA100416
    AT=REARTH+(HAPT+HPGT)/2.0 MA100417
    ET=(HAPT+REARTH)/AT-1.0 MA100418
    IF(ET.LT.ERROR) ET=0.0 MA100419
    GO TO 510 MA100420
C-CONVERT POSITION, VELOCITY AND FLIGHT ANGLES INTO ORBITAL ELEMENTS. MA100421
507 A0=UK*ROMAG/(2.*UK-VOMAG**2*ROMAG) MA100422
    HOMAG=DABS(ROMAG*VOMAG*DSIN(FLTO*DEGCON)) MA100423
    E0=DSQRT(1.-HOMAG**2/(A0*UK)) MA100424
    IF(E0.LT.ERROR) E0=0.0 MA100425
    AT=UK*RTMAG/(2.*UK-VTMAG**2*RTMAG) MA100426
    HTMAG=DABS(RTMAG*VTMAG*DSIN(FLTT*DEGCON)) MA100427
    ET=DSQRT(1.-HTMAG**2/(AT*UK)) MA100428
    IF(ET.LT.ERROR) ET=0.0 MA100429
510 HPGO=A0*(1.-E0)-REARTH MA100430
    HPGT=AT*(1.-ET)-REARTH MA100431
C MA100432
C-ELEMENTS WERE SPECIFIED. CHECK WHETHER TRUE ANOMALIES WERE SPECIFIED. MA100433
    IF(HPGO.GE.0.0.AND.HPGT.GE.0.0) GO TO 511 MA100434
    WRITE(IOUTPT,3150) HPGO,HPGT MA100435
    STOP MA100436
511 IF(TANOMU.GE.0.0.AND.TANUMT.GE.0.0) GO TO 550 MA100437
C-ANOMALIES WERE NOT SPECIFIED. THE TIMES TO, TT WILL NOW BE CONSIDERED MA100438
C-THE MEAN ANOMALIES (TIMES SINCE PERIGEE OR, IF CIRCULAR, SINCE THE MA100439
C-NODE) MA100440

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C CHECK IF EITHER IS GREATER THAN ITS ORBITAL PERIOD. MA100441
TAU0=2.*PI*DSQRT(A0**3/UK) MA100442
TAUT=2.*PI*DSQRT(AT**3/UK) MA100443
IF(T0.LT.TAU0.AND.TT.LT.TAUT) GO TO 520 MA100444
C TIMES ARE NOT LESS THAN ONE ORBITAL PERIOD. STOP MA100445
WRITE(1001PT,3102) T0,TT,TAU0,TAUT MA100446
3102 FORMAT('EXECUTION TERMINATING. MEAN ANOMALIES EXCEED ONE ORBITAL MA100447
1 PERIOD',/, ' T0=',D14.6, ' TT=',D14.6, ' TAU0=',D14.6, ' TAUT=',D14. MA100448
16) MA100449
STOP MA100450
C TIMES SINCE PERIGEE PASSAGE ARE REASONABLE. DEFINE TUG AND TARGET MA100451
C STATES AT PERIGEE AND PROPAGATE AHEAD VIA CALLS TO COAST. O THE MA100452
C TIMES GIVEN BY THE MEAN ANOMALIES. MA100453
520 STATE(1)=A0*(1.-E0) MA100454
STATE(2)=0.0 MA100455
STATE(3)=0.0 MA100456
STATE(4)=0.0 MA100457
STATE(5)=DSQRT(UK*(2./STATE(1)-1./A0)) MA100458
STATE(6)=0.0 MA100459
NO=-1 MA100460
CALL COAST(STATE,ODUM,T0,STATE,ODUM,PH1,PH1) MA100461
DO 525 I=1,3 MA100462
R0(I)=STATE(I) MA100463
525 V0(I)=STATE(I+3) MA100464
STATE(1)=AT*(1.-ET) MA100465
STATE(2)=0.0 MA100466
STATE(3)=0.0 MA100467
VMAGT=DSQRT(UK*(2./STATE(1)-1./AT)) MA100468
STATE(4)=0.0 MA100469
STATE(5)=VMAGT*DCOS(RELINC*DEGCON) MA100470
STATE(6)=VMAGT*DSIN(RELINC*DEGCON) MA100471
CALL COAST(STATE,ODUM,TT,STATE,ODUM,PH1,PH1) MA100472
DO 530 I=1,3 MA100473
RT(I)=STATE(I) MA100474
530 VT(I)=STATE(I+3) MA100475
C SET BOTH TIMES TO 2000. AFTER PROPAGATING STATES THROUGH THEIR MA100476
C MEAN ANOMALIES. MA100477
T0=2000. MA100478
TT=2000.0 MA100479
GO TO 600 MA100480
C MA100481
C TRUE ANOMALIES WERE SPECIFIED. SET UP COORDINATE SYSTEM SUCH MA100482
C THAT THE X(1) AXIS IS TOWARDS TUG PERIGEE. X(3) IS ALONG MA100483
C H, AND X(2) IS X(3) CROSS X(1). MA100484
550 RMAG=A0*(1.-E0**2)/(1.+E0*DCOS(TANOM0*DEGCON)) MA100485
R0(1)=RMAG*DCOS(TANOM0*DEGCON) MA100486
R0(2)=RMAG*DSIN(TANOM0*DEGCON) MA100487
R0(3)=0.0 MA100488
VMAG=DSQRT(UK/(A0*(1.-E0**2))) MA100489
V0(1)=-VMAG*DSIN(TANOM0*DEGCON) MA100490
V0(2)=VMAG*(E0+DCOS(TANOM0*DEGCON)) MA100491
V0(3)=0.0 MA100492
RMAG=AT*(1.-ET**2)/(1.+ET*DCOS(TANOMT*DEGCON)) MA100493
RT(1)=RMAG*DCOS(TANOMT*DEGCON) MA100494
RT(2)=RMAG*DSIN(TANOMT*DEGCON) MA100495

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RT(3)=0.0 MA100498
VMAG=DSQRT(UK/(AT*(1.-RT**2))) MA100497
VT(1)=-VMAG*DSIN(TANOMT*DEGCON) MA100496
VT(2)=VMAG*(ET+OCOS(TANOMT*DEGCON)) MA100495
VT(3)=0.0 MA100500
C ADD INCLINATION TO TARGET ORBIT. MA100501
RT(1)=RT(1) MA100502
RT(3)=RT(2)*DSIN(RELINC*DEGCON) MA100503
RT(2)=RT(2)*DCOS(RELINC*DEGCON) MA100504
VT(1)=VT(1) MA100505
VT(3)=VT(2)*DSIN(RELINC*DEGCON) MA100506
VT(2)=VT(2)*DCOS(RELINC*DEGCON) MA100507
T0=2000.0 MA100508
TT=2000.0 MA100509
GO TO 700 MA100510
C MA100511
C TUG AND TARGET STATES WERE SPECIFIED. CHECK IF THE TIMES ARE THE SAME. MA100512
C THE STATES MUST BE SPECIFIED AT THE SAME TIME WHEN PHASE IS CALLED. MA100513
C T0 IS ASSUMED TO BE THE REAL CLOCK TIME AND NEVER DECREASES. MA100514
600 IF(DABS(T0-TT).LT..1) GO TO 700 MA100515
C COAST TARGET STATE BACKWARDS OR FORWARDS IN TIME AS REQUIRED. MA100516
C SUBROUTINE COAST EXPECTS A 6-VECTOR OF STATES. MA100517
DO 601 I=1,3 MA100518
STATE(I)=RT(I) MA100519
601 STATE(I+3)=VT(I) MA100520
NO=-1 MA100521
CALL COAST(STATE,ODUM,T0-TT,STATE,ODUM,PHI,PHI) MA100522
TT=T0 MA100523
DO 602 I=1,3 MA100524
RT(I)=STATE(I) MA100525
602 VT(I)=STATE(I+3) MA100526
C ARBITRARILY CHANGE TIME ORIGIN, IF T0.LT.2000., INCREASING T0 TO 2000. MA100527
C SECONDS TO ALLOW FOR POSSIBLE INITIAL COASTS. MA100528
IF(T0.GT.2000.) GO TO 700 MA100529
TEMP=2000.-T0 MA100530
TT=TT+TEMP MA100531
T0=2000. MA100532
WRITE(10UTPT,3120) TEMP,T0,TT MA100533
3120 FORMAT(' CHANGED TIME ORIGIN TO ALLOW FOR INITIAL COASTS.',/, MA100534
1. INCREASED T0 AND TT BY ',F7.2,', T0 AND TT NOW EQUAL ', MA100535
2E16.8,', ',E16.3) MA100536
C CALL PHASE TO DETERMINE IF RENDEZVOUS IS POSSIBLE WITH 2 OR 3 MA100537
C BURNS. FOR CIRCULAR TO CIRCULAR CO-PLANAR MISSIONS, A 2-BURN MA100538
C MISSION IS ALWAYS POSSIBLE. FOR OTHER GEOMETRIES, A 2 OR 3 BURN MA100539
C MISSION MAY BE POSSIBLE. EXECUTION WILL TERMINATE IN PHASE, IF NO MA100540
C MISSION IS POSSIBLE WITHIN THE ALLOTTED TIME. MA100541
700 CALL PHASE(R0,V0,RT,VT,NBURNS,TCOAST,TAUP) MA100542
IPHASE=1 MA100543
TAU0=2.*PI*DSQRT(A0**3/UK) MA100544
TAUT=2.*PI*DSQRT(AT**3/UK) MA100545
T0=T0+TCOAST MA100546
TT=T0 MA100547
IF(NBURNS.LQ.2) GO TO 100 MA100548
C DETERMINE WHETHER AN INBOUND OR OUTBOUND MISSION IS REQUIRED, AFTER MA100549
C FORMING HEIGHTS AT APOGEE AND PERIGEE. MA100550

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      HAP0=A0*(1.+E0)-REARTH
      HPG0=A0*(1.-E0)-REARTH
      HAPT=AT*(1.+LT)-REARTH
      HPGT=AT*(1.-ET)-REARTH
      IF(HAP0.GT.HAPT) IBOUND=1
      AP=(TAUP**2*UK/(4.*P1**2))**.33333333
      IF(IBOUND.EQ.0) HPGP=HPG0
      IF(IBOUND.EQ.1) HPGP=HPGT
      EP=1.0-(HPGP+REARTH)/AP
      HAPP=AP*(1.+EP)-REARTH
C CALCULATE VELOCITIES AT END POINTS OF ALL ORBITS.
      VAP0=DSQRT(UK*(1.-E0)/(A0*(1.+E0)))
      VPG0=DSQRT(UK*(1.+E0)/(A0*(1.-E0)))
      VAPT=DSQRT(UK*(1.-ET)/(AT*(1.+ET)))
      VPGT=DSQRT(UK*(1.+ET)/(AT*(1.-ET)))
      VAPP=DSQRT(UK*(1.-EP)/(AP*(1.+EP)))
      VPGP=DSQRT(UK*(1.+EP)/(AP*(1.-EP)))
      IF(IBOUND.EQ.1) GO TO 701
      RI=HPG0+REARTH
      RF=HAPT+REARTH
      GO TO 702
701  RI=HAP0+REARTH
      RF=HPGT+REARTH
702  VI=DSQRT(UK*(2./RI-1./A0))
      VF=DSQRT(UK*(2./RF-1./AT))
      AX=(R1+RF)/2.
      EX=DMAX1(R1,RF)/AX-1.0
      HAPX=AX*(1.+EX)-REARTH
      HPGX=AX*(1.-EX)-REARTH
      VAPX=DSQRT(UK*(2./DMAX1(R1,RF)-1./AX))
      VPGX=DSQRT(UK*(2./DMIN1(R1,RF)-1./AX))
      IF(IBOUND.EQ.1) GO TO 703
      DELTVI=VPGP-VI
      DELTVM=VPGX-VPGP
      DELTVF=VF-VAPX
      GO TO 703
703  DELTVI=VAPX-VI
      DELTVM=VPGP-VPGX
      DELTVF=VF-VPGP
C FIND FINITE BURN TIMES.
7035 BURN1=-AM0/AMDOT*(DEXP(-AMDOT*DABS(DELTVI)/THRUST)-1.0)
      DELTAM=AMDOT*BURN1
      BURN2=-(AM0-DELTAM)/AMDOT*(DEXP(-AMDOT*DABS(DELTVM)/THRUST)-1.0)
      DELTAM=AMDOT*BURN2+DELTAM
      BURN3=-(AM0-DELTAM)/AMDOT*(DEXP(-AMDOT*DABS(DELTVF)/THRUST)-1.0)
      IF(IBOUND.EQ.1) GO TO 704
      COAST1=TAUP-(BURN1+BURN2)/2.
      COAST2=TAUX/2.-(BURN2+BURN3)/2.
      GO TO 705
704  COAST1=TAUX/2.-(BURN1+BURN2)/2.
      COAST2=TAUP-(BURN2+BURN3)/2.
C SET UP TIMES ARRAY
705  IF(T0-2000..LT.0.0) TT=TT+2000.-T0
      IF(T0-2000.0.LT.0.0) T0=0.0
      IF(T0.GT.0.001) T0=T0-2000.

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TO=2000.-BURN1/2.+TO
TBEGIN=TO
TIMES(1)=TO
TIMES(2)=TO+BURN1
TIMES(3)=TIMES(2)+COAST1
TIMES(4)=TIMES(3)+BURN2
TIMES(5)=TIMES(4)+COAST2
TIMES(6)=TIMES(5)+BURN3
C STORE STATES IN X0 AND XT
DO 710 I=1,3
X0(I)=R0(I)
X0(I+3)=V0(I)
XT(I)=R1(I)
710 XT(I+3)=VT(I)
C SET UP INITIAL Q FOR INBOUND MISSION
FACTOR=(UK+VAPX*VPGX*(HAPX+REARTH))/((HAPX+REARTH)**3*(VAPX+VPGX))
DO 720 I=1,3
Q0(I)=-X0(I+3)/V1
720 Q0(I+3)=+X0(I)*FACTOR
ND=0
C COAST TUG BACK TO START OF FIRST BURN
CALL COAST(X0,Q0,-BURN1/2.0,X0,Q0,PHI,PHI)
IF(1BOUND.EQ.1) GO TO 202
C
C-CONVERGE-THREE-BURN-OUTBOUND MISSION BACKWARDS IN TIME
C TO INSURE CONVERGENCE
C
IBACK=1
C
C SAVE INITIAL STATE OF TUG
DO 750 I=1,3
750 TUGSAV(I)=X0(I)
TIMTUG=TO
C-PROPAGATE TARGET STATE TO FINAL BURN NODE
ND=-1
CALL COAST(XT,QDUM,TAUP+1AUX/2.0,X0,QDUM,PHI,PHI)
C-SETUP IMPULSIVE Q SOLUTION AT NODE
FACTOR=(UK+VAPX*VPGX*(HAPX+REARTH))/((HAPX+REARTH)**3*(VAPX+VPGX))
DO 760 I=1,3
Q0(I)=X0(I+3)/VART
760 Q0(I+3)=-X0(I)*FACTOR
C-PROPAGATE TO END OF LAST BURN
ND=0
CALL COAST(X0,Q0,BURN3/2.0,X0,Q0,PHI,PHI)
C SET UP TIMES ARRAY
TIMES(1)=TO
TIMES(2)=TIMES(1)+BURN3
TIMES(3)=TIMES(2)+COAST2
TIMES(4)=TIMES(3)+BURN2
TIMES(5)=TIMES(4)+COAST1
TIMES(6)=TIMES(5)+BURN1
C-REDUCE MASS,SET TIMES AND TARGET STATE
TO=TIMES(1)
TT=TIMES(6)
AM0=AM0-(BURN1+BURN2+BURN3)*AMDOT

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C-REVERSE MASS RATE, VELOCITY AND UDOT.
AMDOT=-AMDOT
VEH(1,2)=-VEH(1,2)
DO 790 J=4,5
XT(J-3)=TUGSAV(J-3)
XT(J)=-TUGSAV(J)
X0(J)=-X0(J)
790 Q0(J)=-Q0(J)
C
C WRITE IMPULSIVE SOLUTION.
202 WRITE(10UTPT,3200) NBURNS
3200 FORMAT(//,20X,' * * * * *',12,'-BURN IMPULSIVE APPROXIMATION SUMMAMAI00672
1RY * * * * *',//,35X,' * * * * * ORBITAL ELEMENTS * *',//,12X,' SEMI-MAJDMAI00673
2R AXIS ECCENTRICITY HEIGHT(APOGEE) HEIGHT(PERIGEE) PERIOD V(APMAI00674
3GEE) V(PERIGEE)',/,14X,'(KILOMETERS)',16X,'(KILOMETERS) (KILOMAI00675
4ETERS)---(SECONDS)---(KM/SEC)---(KM/SEC)')
WRITE(10UTPT,3201) AO,EO,HAP0,HPG0,TAU0,VAP0,VPG0
3201 FORMAT(' TUG',F16.3,F13.5,F16.3,F16.3,F12.2,F9.3,F11.3)
IF(NBURNS.EQ.3) WRITE(10UTPT,3202) AP,EP,HAPP,HPP,TAU,VAPP,VGP
3202 FORMAT(' PHASING',F16.3,F13.5,F16.3,F16.3,F12.2,F9.3,11.3)
WRITE(10UTPT,3203) AX,EX,HAPX,HPGX,TAUX,VAPX,VPGX
3203 FORMAT(' TRANSFER',F16.3,F13.5,F16.3,F16.3,F12.2,F9.3,11.3)
WRITE(10UTPT,3204) AT,ET,HAPT,HPT,TAUT,VAPT,VPT
3204 FORMAT(' TARGET',F16.3,F13.5,F16.3,F16.3,F12.2,F9.3,11.3,/)
WRITE(10UTPT,3205) RELINC
3205 FORMAT(' RELATIVE INCLINATION',F8.3,' DEGREES (MEASURED + OR - ATMAI00680
1 PERIGEE)',//,20X,' * * * * *')
2 * *',//)
WRITE(10UTPT,3206) TELGIN,BURN1
3206 FORMAT(' FIRST BURN STARTS AT',F10.2,' SECONDS',/, ' FIRST BURN ISMAI00690
1,F12.2,' SECONDS')
IF(NBURNS.EQ.2) WRITE(10UTPT,3207) COAST1,BURN2
IF(NBURNS.EQ.3) WRITE(10UTPT,3208) COAST1,BURN2,COAST2,BURN3
3207 FORMAT(' COAST IS',F10.2,' SECONDS',/, ' SECOND BURN IS',F8.2,' SECMAI00694
1ONDS',//)
3208 FORMAT(' 1ST COAST IS',F10.2,' SECONDS',/, ' SECOND BUR IS',F11.2,MAI00696
1,SECONDS',/, ' SECOND COAST IS',F10.2,' SECONDS',/, ' FINAL BURN ISMAI00697
2',F12.2,' SECONDS',//)
C CALCULATE THE WEIGHTS BASED ON ESTIMATED BURN TIME.
204 IF(NOTARG.NE.1) GO TO 205
READ(INPUT,NAMES2)
RELINC=0.0
205 CONTINUE
TOTURN=DABS(TIMES(0)+TIMES(4)+TIMES(2)+
1 (TIMES(5)+TIMES(3)+TIMES(1)))
PSI=THRUST/(VEH(1,1)-AMDOT*TOTURN)
DO 248 I=1,6
BETA(I)=1.002
IF(I.GT.3) BETA(I)=1.008
248 WEIGHT(I)=BETA(I)*PSI/(1.+ALTA(I)*PSI)
203 CONTINUE
MODE=1
C CALCULATE END CONDITIONS.
CALL GVALS(XT,Q0,PTV,TV,-1)
DO 249 I=1,6

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249	CC(1)=DD(1)	MA100716
	C * * * * *	MA100717
	C	MA100718
	IF(ITURNR.EQ.0) WRITE(10UTPT,3210)	MA100719
	IF(ITURNR.EQ.1) WRITE(10UTPT,3213)	MA100720
	IF(ITURNR.EQ.2) WRITE(10UTPT,3220)	MA100721
	IF(ITURNR.EQ.3) WRITE(10UTPT,3223)	MA100722
3223	FORMAT(' BEGIN GUIDANCE-ONLY CONVERGENCE.')	MA100723
3220	FORMAT(' ADD 3RD BURN AND RECONVERGE.')	MA100724
3213	FORMAT(' BEGIN TURN-AROUND CONVERGENCE.')	MA100725
3210	FORMAT(' BEGIN COPLANAR CONVERGENCE.',///)	MA100726
	C TRY TO CONVERGE THE COPLANAR MISSION IN .LE. 30 ITERATIONS.	MA100727
	C	MA100728
	DO 250 ITER=1,30	MA100729
	NOP=1	MA100730
	QMAG=DSQRT(Q0(1)**2+Q0(2)**2+Q0(3)**2)	MA100731
	DO 247 I=1,6	MA100732
247	Q0(I)=Q0(I)/QMAG	MA100733
	CALL-GUIDE(0.0)	MA100734
	CALL AUXOUT	MA100735
	CALL CKSET(CK)	MA100736
	DQOMAX=0.0	MA100737
	DTMAX=0.0	MA100738
	DO 251 I=1,6	MA100739
	Q0(I)=Q0(I)+DQ0(I)*CK	MA100740
	TIMES(I)=TIMES(I)+DTIMES(I)*CK	MA100741
	IF(DABS(DQ0(I)).GT.DQOMAX) DQOMAX=DABS(DQ0(I))	MA100742
251	IF(DABS(DTIMES(I)).GT.DTMAX) DTMAX=DABS(DTIMES(I))	MA100743
	AM1=AMU	MA100744
	IF(1BACK.EQ.1) AM0=VEL(1,1)+(TIMES(6)-TIMES(5)+TIMES(4)-TIMES(3)	MA100745
	+TIMES(2)-TIMES(1))*AMDUT	MA100746
	AM0=(AM0+AM1)*.5	MA100747
	IF(DTMAX.LT.1.D-6*DABS(TIMES(6)).AND.DQOMAX.LT..001.AND.	MA100748
	1DABS(AM0-AM1).LT.VEL(1,1)*1.D-6) GO TO 252	MA100749
3211	FORMAT(' COPLANAR MISSION CONVERGED IN',13,' ITERATIONS.')	MA100750
3214	FORMAT(' TURN-AROUND ACHIEVED IN',13,' ITERATIONS.')	MA100751
3221	FORMAT(' 3RD BURN ADDED AND CONVERGED IN',13,' ITERATIONS.')	MA100752
250	CONTINUE	MA100753
	C DID NOT CONVERGE IN 30 ITERATIONS. DUMP VARIABLES AND STOP.	MA100754
	WRITE(10UTPT,3005)	MA100755
3005	FORMAT(' PLANAR MISSION DID NOT CONVERGE IN 30 ITERATIONS. STOP')	MA100756
	STOP	MA100757
252	CONTINUE	MA100758
	IF(ITURNR.EQ.0) WRITE(10UTPT,3211) ITER	MA100759
	IF(ITURNR.EQ.1) WRITE(10UTPT,3214) ITER	MA100760
	IF(ITURNR.EQ.2) WRITE(10UTPT,3221) ITER	MA100761
	IF(ITURNR.EQ.3) WRITE(10UTPT,3222) ITER	MA100762
3222	FORMAT(' GUIDANCE-ONLY CONVERGENCE ACHIEVED IN',13,' ITERATIONS.')	MA100763
	C	MA100764
	C ADD PLANE CHANGE	MA100765
	C	MA100766
	ISECD=0	MA100767
	ANGLE=0.0	MA100768
	C IF NO PLANE CHANGE SKIP AROUND	MA100769
	IF(DABS(RELINC).LT.XERROR) GO TO 295	MA100770

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C TRANSFORM TO 2-BURN MISSION FOR INSERTION OF PLANE CHANGE	MA100771
IF(NBURNS.EQ.3) GO TO 2540	MA100772
T6SAV=TIMES(6)	MA100773
T6SAV=TIMES(5)	MA100774
TIMSAV=TT	MA100775
DO 253 I=1,4	MA100776
253 TIMES(7-I)=TIMES(5-I)	MA100777
TIMES(2)=0.0	MA100778
TIMES(1)=0.0	MA100779
NOP=0	MA100780
C CALL GUIDE TO GENERATE PHASING ORBIT END CONDITIONS	MA100781
CALL GUIDE(0.0)	MA100782
DO 254 I=1,6	MA100783
254 XPHASE(I)=X(I)	MA100784
TT=TIMES(6)	MA100785
2540 CONTINUE	MA100786
C PERFORM REQUIRED PLANE CHANGE IN 10 DEGREE STEPS	MA100787
REL1=DABS(RELINC)	MA100788
255 ANGL=DMIN1(DABS(ANGLE)+10.,REL1)	MA100789
ANGL=DSIGN(ANGLE,RELINC)	MA100790
DANGL=ANGL-ANGLE	MA100791
ANGLE=ANGL	MA100792
WRITE(IDUTPT,4000) ANGL	MA100793
4000 FORMAT(' ATTEMPT TO CONVERGE ',F6.2,' DEGREE PLANE CHANGE')	MA100794
C TEST WHETHER TARGET STATE AT ONE OF NODES(ONLY IF PHASE NOT CALLED)	MA100795
IF(IPHASE.EQ.0) GO TO 257	MA100796
C RT,VT AT APOGEE OR PERIGEE,ROTATE THROUGH ANGLE	MA100797
DO 256 I=1,3	MA100798
256 XT(I)=RT(I)	MA100799
XT(4)=0.0	MA100800
XT(5)=VT(2)*DCOS(ANGLE*DEGCON)	MA100801
XT(6)=VT(2)*DSIN(ANGLE*DEGCON)	MA100802
GO TO 1000	MA100803
C CHECK TO SEE IF CONVERGING BACKWARDS	MA100804
257 IF(IDBACK.EQ.0) GO TO 2570	MA100805
C CONVERGING BACKWARDS ROTATE X0 AND Q0	MA100806
CALL ROTATE(X0,PRGEE,DANGL*DEGCON,6)	MA100807
CALL ROTATE(Q0,PRGEE,DANGL*DEGCON,6)	MA100808
GO TO 259	MA100809
C CONVERGING FORWARDS.FIND IF 2 OR 3 BURNS	MA100810
2570 IF(NBURNS.EQ.3) GO TO 258	MA100811
C 2-BURN MISSION,ROTATE PRESENT XT	MA100812
CALL ROTATE(XT,PRGEE,DANGL*DEGCON,6)	MA100813
GO TO 1000	MA100814
C 3-BURN FORWARD ROTATE XPHASE	MA100815
258 CALL ROTATE(XPHASE,PRGLE,DANGL*DEGCON,6)	MA100816
C SET UP 3-BURN AS 2-BURN	MA100817
259 DO 2600 I=1,6	MA100818
2600 XT(I)=XPHASE(I)	MA100819
C ON FIRST PASS SET UP AN INITIAL COAST	MA100820
IF(ISECD.EQ.1) GO TO 1000	MA100821
ISECD=1	MA100822
NU=0	MA100823
TBCT=-500.	MA100824
CALL COAST(X0,Q0,TBCT,X0,Q0,PHI,PHI)	MA100825

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TO=TO+TUCT	MA100826
C REDUCE INITIAL MASS TO REFLECT ESTIMATED THIRD BURN	MA100827
IF(1BACK.EQ.0) GO TO 1000	MA100828
AMSAV=AMDOT*(T6SAV-T5SAV)	MA100829
VEH(1,1)=VEH(1,1)+AMSAV	MA100830
1000 CONTINUE	MA100831
C SET UP END CONDITIONS FOR PLANE CHANGE	MA100832
CALL BVALS(XT,Q0,PTV,TV,-1)	MA100833
DO 261 I=1,6	MA100834
261 CC(I)=DD(I)	MA100835
C * * * * *	MA100836
C	MA100837
C	MA100838
C TRY TO CONVERGE WITH PLANE CHANGE IN .LE. 30 ITERATIONS.	MA100839
DO 290 ITER=1,30	MA100840
NOP=1	MA100841
QMAG=DSQRT(Q0(1)**2+Q0(2)**2+Q0(3)**2)	MA100842
DO 289 I=1,6	MA100843
289 Q0(I)=Q0(I)/QMAG	MA100844
CALL GUIDE(0,0)	MA100845
CALL AUXOUT	MA100846
CALL CKSET(CK)	MA100847
DQOMAX=0.0	MA100848
DTMAX=0.0	MA100849
IPRINT=0	MA100850
DO 288 I=1,6	MA100851
Q0(I)=Q0(I)+DQ0(I)*CK	MA100852
TIMES(I)=TIMES(I)+DTIMES(I)*CK	MA100853
IF(DABS(DQ0(1)).GT.DQOMAX) DQOMAX=DQ0(1)	MA100854
288 IF(DABS(DTIMES(1)).GT.DTMAX) DTMAX=DTIMES(1)	MA100855
AMI=AM0	MA100856
IF(1BACK.EQ.1) AM0=VEH(1,1)+(TIMES(6)-TIMES(5)+TIMES(4)-TIMES(3)	MA100857
1 +TIMES(2)-TIMES(1))*AMDOT	MA100858
AM0=(AMI+AM0)*.5	MA100859
IF(DTMAX.LT.1.0-6*DABS(TIMES(6)).AND.DQOMAX.LT..001.AND.	MA100860
1 DABS(AMI-AM0).LT.VEH(1,1)*1.0-6) GO TO 291	MA100861
290 CONTINUE	MA100862
C DID NOT CONVERGE IN 30 ITERATIONS. DUMP VARIABLES AND STOP	MA100863
WRITE(IOUTPT,3006)	MA100864
3006 FORMAT(' OUT-OF-PLANE MISSION DID NOT CONVERGE IN 30 ITERATIONS.	MA100865
1TOP.')	MA100866
STOP	MA100867
291 CONTINUE	MA100868
WRITE(IOUTPT,3212) ANGLE,ITER	MA100869
3212 FORMAT(F7.2,' DEGREE PLANE CHANGE CONVERGED IN',I3,' ITERATIONS.')	MA100870
IF(DABS(ANGLE).LT.DABS(RELINC)) GO TO 255	MA100871
C CHANGE BACK TO 3-BURN IF NECESSARY	MA100872
IF(NDBURNS.NE.3) GO TO 200	MA100873
DO 292 I=1,4	MA100874
292 TIMES(I)=TIMES(I+2)	MA100875
TIMES(5)=T5SAV	MA100876
TIMES(6)=T6SAV	MA100877
DO 293 I=1,3	MA100878
XT(I+3)=-TUGSAV(I+3)	MA100879
293 XT(I)=TUGSAV(I)	MA100880

FILE: MAIN FORTRAN 91

CAMBRIDGE MONITOR SYSTEM

TT=TIMSAV	MA100881
RELINC=0.0	MA100882
C ADD MASS TO INITIAL MASS IF BACKWARDS MISSION	MA100883
IF (IBACK.EQ.1) VEH(1,1)=VEH(1,1)-AMSAV	MA100884
ITURNR=2	MA100885
C ROTATE XT IF FORWARDS MISSION	MA100886
IF (IBACK.EQ.1) GO TO 203	MA100887
DO 294 I=1,3	MA100888
XT(I)=RT(I)	MA100889
294 XT(I+3)=VT(I)	MA100890
CALL ROTATE(XT,PROGEL,ANGLE*DEGCON,6)	MA100891
GO TO 203	MA100892
C TEST TO SEE IF MISSION TURNAROUND IS NECESSARY	MA100893
295 CONTINUE	MA100894
IF (IBACK.NE.1) GO TO 260	MA100895
C	MA100896
C TURNAROUND MISSION AND RECONVERGE	MA100897
C	MA100898
C SET UP TIMES ARRAY, Q0, AM0 AND XT	MA100899
WRITE(IOUTPUT,4001)	MA100900
4001 FORMAT(' TURNAROUND MISSION')	MA100901
B1=TIMES(6)-TIMES(5)	MA100902
C1=TIMES(5)-TIMES(4)	MA100903
B2=TIMES(4)-TIMES(3)	MA100904
C2=TIMES(3)-TIMES(2)	MA100905
B3=TIMES(2)-TIMES(1)	MA100906
TALIGN=TT-TIMES(6)	MA100907
TTLGN=TIMES(6)-T0	MA100908
T0=TALIGN+TIMTUG	MA100909
TIMES(1)=T0	MA100910
TIMES(2)=TIMES(1)+B1	MA100911
TIMES(3)=TIMES(2)+C1	MA100912
TIMES(4)=TIMES(3)+B2	MA100913
TIMES(5)=TIMES(4)+C2	MA100914
TIMES(6)=TIMES(5)+B3	MA100915
TT=T0+TTLGN	MA100916
AMDUT=-AMDUT	MA100917
VEH(1,2)=-VEH(1,2)	MA100918
DO 310 I=1,3	MA100919
Q0(I)=Q(I)	MA100920
Q0(I+3)=-Q(I+3)	MA100921
XT(I)=X0(I)	MA100922
310 XT(I+3)=-X0(I+3)	MA100923
AM0=VEH(1,1)	MA100924
C COAST TUGSAV TO ALIGN WITH TIMES(1)	MA100925
NO=-1	MA100926
CALL COAST(TUGSAV,QDUM,TALIGN,X0,QDUM,PHI,PHI)	MA100927
C RECONVERGE WITH FORWARD MISSION	MA100928
IBACK=0	MA100929
RELINC=0.0	MA100930
ITURNR=1	MA100931
GO TO 203	MA100932
260 CONTINUE	MA100933
C VERIFY FINAL ORBIT	MA100934
DO 262 I=1,3	MA100935

FILE: MAIN FORTRAN P1

CAMBRIDGE MONITOR SYSTEM

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RTA(1)=X(1) MA100936
262 VTA(1)=X(1+3) MA100937
CALL ELMNTS(RTA,VTA,AA,EA,HA,PGA,TAUA) MA100938
WRITE(10UTPT,3215) RTA,VTA,AA,EA,HA,PGA,TAUA MA100939
3215 FORMAT(' ORBIT ACTUALLY ACHIEVED: ',/, MA100940
1' POSITION=',F10.6,/, ' VELOCITY=',F10.6,/, MA100941
2' SEMI-MAJOR AXIS=',F10.2,/, ' ECCENTRICITY=',F8.6,/, MA100942
3' H-VECTOR=',F10.6,/, ' PERIGEE=',F10.6,/, ' PERIOD=',F10.2) MA100943
BUR1=TIMES(2)-TIMES(1) MA100944
BUR2=TIMES(4)-TIMES(3) MA100945
BUR3=TIMES(6)-TIMES(5) MA100946
COAS0=TIMES(3)-T0 MA100947
COAS1=TIMES(1)-T0 MA100948
COAS2=TIMES(3)-TIMES(2) MA100949
COAS3=TIMES(5)-TIMES(4) MA100950
IF(NBURNS.EQ.2) WRITE(10UTPT,3217) COAS0,BUR2,COAS3,BUR3 MA100951
3217 FORMAT(/, ' CONVERGED COASTS AND BURNS FOR 2-BURN MISSION: ',/, MA100952
1' INITIAL COAST=',F10.2,/, ' FIRST BURN=',F10.2,/, ' SECOND COAST MA100953
2=',F10.2,/, ' FINAL BURN=',F10.2) MA100954
C MA100955
IF(NBURNS.EQ.3) WRITE(10UTPT,3218) COAS1,BUR1,COAS2,BUR2,COAS3,BUR3 MA100956
3218 FORMAT(' CONVERGED COASTS AND BURNS FOR 3-BURN MISSION: ',/, MA100957
1' INITIAL COAST=',F10.2,/, ' FIRST BURN=',F10.2,/, ' SECOND COAST MA100958
2=',F10.2,/, ' SECOND BURN=',F10.2,/, ' THIRD COAST=',F10.2,/, MA100959
3' FINAL BURN=',F10.2) MA100960
C MA100961
C GUIDANCE SECTION MA100962
C MA100963
C MA100964
C MA100965
C CHECK IF GUIDANCE DESIRED. MA100966
IF(NOTARG.EQ.-1) STOP MA100967
C CHECK IF 2 OR 3 BURNS. MA100968
IF(NBURNS.EQ.2) GO TO 410 MA100969
C 3-BURN MISSION. REMOVE ANY INITIAL COAST. MA100970
IF(DABS(T0-TIMES(1)).LT.TERROR) GO TO 405 MA100971
ND=0 MA100972
CALL COAST(X0,G0,TIMES(1)-T0,X0,G0,PHI,PHI) MA100973
T0=TIMES(1) MA100974
405 AM0=VEH(1,1) MA100975
T0INT=TIMES(1) MA100976
IF(1BOUND.EQ.1) GO TO 410 MA100977
C TURN AROUND OUTBOUND 3-BURN MISSION. MA100978
C MA100979
C SET UP STATE AND TIME ARRAYS. MA100980
DO 406 I=1,3 MA100981
XTS(I)=X0(I) MA100982
XTS(I+3)=X0(I+3) MA100983
GTS(I)=G0(I) MA100984
GTS(I+3)=-G0(I+3) MA100985
X0(I+3)=-X0(I+3) MA100986
G0(I+3)=-G0(I+3) MA100987
XT(I+3)=-XTS(I+3) MA100988
X0(I)=X(I) MA100989
G0(I)=G(I) MA100990

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FILE: MAIN FORTRAN P1

CAMBRIDGE MONITOR SYSTEM

406	XT(1)=XTS(1)	MA100991
	B1=TIMES(2)-TIMES(1)	MA100992
	C1=TIMES(3)-TIMES(2)	MA100993
	B2=TIMES(4)-TIMES(3)	MA100994
	C2=TIMES(5)-TIMES(4)	MA100995
	B3=TIMES(6)-TIMES(5)	MA100996
	TIMES(1)=2000.	MA100997
	TIMES(2)=TIMES(1)+B3	MA100998
	TIMES(3)=TIMES(2)+C2	MA100999
	TIMES(4)=TIMES(3)+B2	MA101000
	TIMES(5)=TIMES(4)+C1	MA101001
	TIMES(6)=TIMES(5)+B1	MA101002
	T0=TIMES(1)	MA101003
	TT=TIMES(6)	MA101004
	BURNT=DABS(TIMES(6)-TIMES(5)+TIMES(4)-TIMES(3)+	MA101005
	1-TIMES(2)-TIMES(1))	MA101006
	AM0=VEH(1,1)-BURNT*VEH(1,2)	MA101007
	AMDUT=-AMDUT	MA101008
	VEH(1,2)=-VEH(1,2)	MA101009
	C SET UP INITIAL COAST FOR BACKWARDS MISSION.	MA101010
	NO=0	MA101011
	CALL COAST(X0,00,-500.,X0,00,PHI,PHI)	MA101012
	T0=T0-500.	MA101013
	C SET UP MONTE CARLO RUNS.	MA101014
	C	MA101015
	C	MA101016
	C CALCULATE END CONDITIONS	MA101017
410	CALL GVALS(XT,QQUM,PTV,TV,-1)	MA101018
	DO 411 I=1,6	MA101019
411	CC(I)=DD(I)	MA101020
	C SAVE INITIAL CONDITIONS FOR NEXT MONTE CARLO RUN.	MA101021
	DO 415 I=1,6	MA101022
	X0S(I)=X0(I)	MA101023
	Q0S(I)=Q0(I)	MA101024
	VEHS(I)=VEH(1,I)	MA101025
	TIMES(I)=TIMES(1)	MA101026
	XTS(I)=XT(I)	MA101027
415	CCS(I)=CC(I)	MA101028
	VEHS(7)=VEH(1,7)	MA101029
	T0S=T0	MA101030
	TTS=TT	MA101031
	AM0S=AM0	MA101032
	IBOUNS=IBOUND	MA101033
	C LOOP FOR MONTE CARLO RUNS.	MA101034
	IPRINT=1	MA101035
	DO 420 MONTE=1,MCARLO	MA101036
	IUPDAT=0	MA101037
	C RESTORE VARIABLES.	MA101038
	DO 425 I=1,6	MA101039
	VEH(1,I)=VEHS(I)	MA101040
	X0(I)=X0S(I)	MA101041
	Q0(I)=Q0S(I)	MA101042
	XT(I)=XTS(I)	MA101043
	QT(I)=QTS(I)	MA101044
	TIMES(I)=TIMES(1)	MA101045

FILE: MAIN FORTRAN P1

CAMBRIDGE MONITOR SYSTEM

425	CC(1)=CCS(1)	MAI01046
	VEH(1,7)=VEHS(7)	MAI01047
	DO 426 I=2,10	MAI01048
	DO 426 J=1,7	MAI01049
426	VEH(1,J)=0.0	MAI01050
	IBOUND=IBOUNS	MAI01051
	TRUEMS=VEH(1,1)	MAI01052
	TCLOCK=0.0	MAI01053
	TACCOM=0.0	MAI01054
	AM0=AM0S	MAI01055
	T0=T0S	MAI01056
	TT=TTIS	MAI01057
	IF(NBURNS.EQ.3) CALL BCSCB(1BOUND,T0INT)	MAI01058
420	IF(NBURNS.EQ.2) CALL CBCB	MAI01059
	CALL STATIS(MCARLO)	MAI01060
	STOP	MAI01061
	END	MAI01062

Subroutine AUXOUT

A. Purpose

AUXOUT prints the status of the convergence, from the most recent call to GUIDE.

B. Input/Output Definition

<u>Input Parameter</u>	<u>Symbol</u>	<u>Definition</u>
X(I) I=1,6	\bar{x}	Vehicle final state
XTF(I) I=1,6	\bar{x}_T	Target state at same time as above
TIMES(I) I=1,6	-	Array of times at ends of coast and burn arcs
Q0(I) I=1,6	\bar{q}_0	Costate at start of mission
DTIMES(I) I=1,6	$\Delta \bar{t}$	Requested corrections to TIMES
DQ0(I) I=1,6	$\Delta \bar{q}_0$	Requested corrections to costate Q0
IOUTPT	-	Output device number
<u>Output Parameter</u>		

None.

C. Method of Computation

The only variable calculated is the estimate of the total burn remaining

$$\text{COST} = |(\text{TIMES}(2) - \text{TIMES}(1)) + (\text{TIMES}(4) - \text{TIMES}(3)) + (\text{TIMES}(6) - \text{TIMES}(5))|$$

FILE: AUXOUT FORTRAN PI

CAMBRIDGE MONITOR SYSTEM

SUBROUTINE AUXOUT	AUX00001
IMPLICIT REAL*8(A-H,O-Z)	AUX00002
COMMON /GIDIN/XT(6),TT,X0(6),T0,AM0,VEH(10,7),Q0(6),TIMES(6),C(6)	AUX00003
COMMON /ODEVIC/IOUTPT	AUX00004
COMMON /GIDOUT/DQ0(6),DTIMES(6),L(12,12),DC(12),X(6),Y(6),	AUX00005
IZ(12,12),D(6),DUMM(4),SM	AUX00006
COMMON /BVLOUT/XTF(6),DELTC(6)	AUX00007
WRITE(IOUTPT,1)X,XTF	AUX00008
1 FORMAT(/, ' X(OBTAINED)=' ,6E14.6,/, ' X(DESTRED)=' ,6E14.6)	AUX00009
COST=DABS(TIMES(6)-TIMES(5)+TIMES(4)-TIMES(3)+TIMES(2)-TIMES(1))	AUX00010
WRITE(IOUTPT,2) COST	AUX00011
2 FORMAT(' REMAINING BURN=' ,D14.6)	AUX00012
WRITE(IOUTPT,3) Q0,DQ0,TIMES,DTIMES	AUX00013
3 FORMAT(1X, ' Q0=' ,6E16.8,/, ' DQ0=' ,6E16.8,/,5X, ' T=' ,	AUX00014
1 6E16.8,/,4X, ' DT=' ,6E16.8,//)	AUX00015
RETURN	AUX00016
END	AUX00017

Subroutine BCBCB

A. Purpose

Subroutine BCBCB is used during guidance mode to take the vehicle through the first burn of a 3-burn mission. It operates in either a backwards mode (outbound mission) or a normal mode, and is called by MAIN at the start of each Monte-Carlo run. It in turn calls FORWARD at regular intervals until the end of the first burn, at which time it changes mode (if backwards) to the normal mode and calls CBCB to handle the remaining coasts and burns. BCBCB also modifies the TIMES array on each cycle to reflect the fact that part of the first burn has occurred, calls GUIDE to reconverge the mission with the new (possibly perturbed) vehicle state, and adds the resulting corrections to the TIMES array and costate. On the indicated cycles ($IOUT = 1$ or next-to-last cycle in the burn arc), subroutine NAVOUT is called to collect the Monte-Carlo statistics. On the last cycle in the burn arc, the call to GUIDE (and the addition of the corrections to TIMES and $Q\theta$) is skipped and CBCB is called with an initial step time of zero.

B. Input/Output Definition

<u>Input Parameter</u>	<u>Symbol</u>	<u>Definition</u>
IBOUND	-	0 - outbound mission (implies backwards mode) 1 - inbound mission
$T\theta INT$	-	In backwards mode, the actual value of $T\theta$
TRUEMS	-	Vehicle mass before start of burn (normally equivalent to $AM\theta$ except when in backwards mode)
$XT(I)$ $I=1,6$	\bar{x}_T	Vehicle state in backwards mode
TT	t_T	Time at start of first burn in outbound case
$T\theta$	t_0	Time at start of first burn in inbound case
IOUTPT	-	Output device number

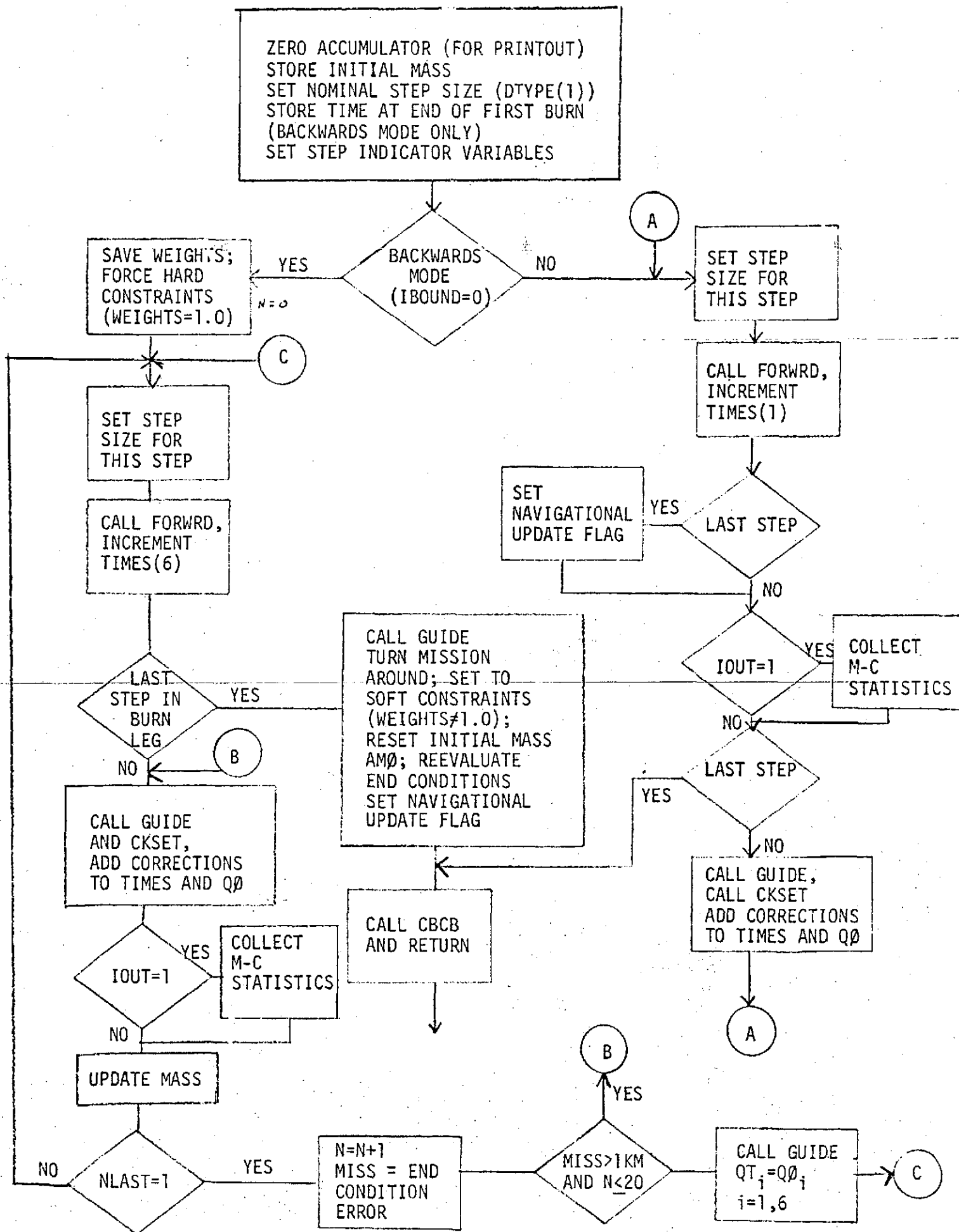
<u>Input Parameter</u>	<u>Symbol</u>	<u>Definition</u>
DTYPE(I) I=1,2	-	I=1; normal guidance step size during burn I=2; not used in BCBCB
TIMES(I) I=1,6	-	Vector of times at end of each leg (or start of each leg in backwards mode)
<u>Output Parameter</u>	<u>Symbol</u>	<u>Definition</u>
IPRINT	-	Always 0; shuts off printout resulting from calls to GUIDE after first step in first Monte-Carlo run
MODE	-	Always 0; restores mission to free-time rendezvous (backwards mode only)
AM \emptyset	-	Mass at end of first burn
TIMES(I) I=1,6	-	Vector of times at end of arcs, with first burn deleted from the vector (TIMES(1)=0, TIMES(2)=0) and, in backwards mode, the vector restored to its normal form
Q \emptyset (I) I=1,6	\bar{q}_0	Costate at end of first burn
T \emptyset	-	Time at end of first burn
TT	-	Time for which target state is valid
CC(I) I=1,6	-	New end conditions for target (backwards mode only)

C. Method of Computation

After zeroing the time accumulator (used to determine when Monte-Carlo statistics are to be collected), saving the vehicle initial mass, and initializing several control integers, BCBCB branches to one of two separate sections of code, depending on whether a normal 3-burn mission is being run. In either case, it is assumed that the first burn begins immediately, with no initial coast.

In the backwards mode, the TIMES array as supplied to BCBCB is already reversed and ready to use, as are T_0 and TT . The weights are set to 1.0 since the backwards mode works best with hard constraints and mode is set to 3 to change to a fixed time rendezvous. Subroutine FORWRD is then called every $DTYPE(1)$ seconds during the first burn, with the exception of the last two steps which are approximately equal to each other and less than $DTYPE(1)/2$, and $TIMES(6)$ is updated. Each time the print accumulator exceeds PTB , subroutine NAVOUT is called to collect Monte Carlo statistics, and the accumulator is reset to zero. M/C statistics are also collected on the next-to-last step in the burn arc. Also, following each call to FORWRD, except the last, GUIDE is called and the corrections are added to Q_0 and $TIMES$, Q_0 is maintained at unit magnitude, and the estimate of vehicle final mass is recalculated from the mass rate, current mass, and requested changes in the burn times. On the next-to-last call to FORWRD ($NLAST=1$), subroutine GUIDE is called repeatedly (with no changes in vehicle state) until the miss in final position is less than 1 kilometer. On the last call to FORWRD, GUIDE is called but no changes are permitted in the $TIMES$ array and Q_0 and the weights are restored to their original value. In addition, the flag is set to add the navigation update corrections to vehicle state on the very first call to FORWRD from CBCB. The mission is then turned around to normal mode, and the target end conditions reevaluated. Finally, subroutine CBCB is called to handle the remaining coasts and burns.

In normal mode, BCBCB works in much the same way, except that the states and $TIMES$ array are not reversed, and T_0 is updated rather than $TIMES(6)$.



FILE: BCBCB FORTRAN PI

CAMBRIDGE MONITOR SYSTEM

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SUBROUTINE BCBCB(IBOUND, IPOINT)
C SUBROUTINE TO TAKE THE TUG THROUGH THE INITIAL BURN OF A 3-BURN
C MISSION IN GUIDANCE MODE. WORKS FOR BOTH INBOUND AND OUTBOUND MISSIONS
IMPLICIT REAL*8 (A-H, O-Z)
COMMON /BVLDT/XF(6)
COMMON /UPDATE/IUPDAT
COMMON /CPHYS/AUK, R, EARTH, DUM1, DUM2, DUM3
COMMON /ONLINE/IPRINT
COMMON /CMODE/MODE
COMMON /CNAV/TRUIMS, INAV, TACCUM, IOUT
COMMON /GIDIN/XT(6), IT, XO(6), TO, AMO, VEH(10,7), QO(6), TIMES(6), CC(6)
COMMON /GIDOUT/DOO(6), DTIMES(6), E(12,12), DC(12), X(6), Q(6), Z(12,12)
1, DO(6), SM(6)
COMMON /CINDEX/HARC, IARC, JMAX, JM, JMAX1, JLAST, NO, NOP, NR IGOS
COMMON /CPERT/PLRT(3), DTYPE(2), DFAC
COMMON /CJ/BETA(6), PSI, UF, CK, THOUND, UBOUND
COMMON /CWT/WEIGHT(6)
COMMON /CQST/QI(6)
COMMON /XQSAVE/XTS(6), QTS(6)
DIMENSION WTS(6)
C ZERO TIME ACCUMULATOR.
TACCUM=0.0
IOUT=0
C SAVE INITIAL MASS
TOTLMS=TRUIMS
C SET NOMINAL STEP SIZE IN BURN
DT=DTYPE(1)
C SAVE TIME AT END OF LAST BURN (=TIME AT START OF 1ST BURN - FORWARDS)
IF(IBOUND.EQ.0) TOSAVE=TIMES(6)
C SET VARIABLES
NLAST=0
LAST=0
NPOINT=0
IF(IBOUND.EQ.1) GO TO 100
C
C
C 3-BURN OUTBOUND MISSION, NO. IN BACKWARDS MODE.
C
C
C SET WEIGHTS.
C WEIGHT(1)=1 REFLECTS HARD CONSTRAINTS ON BACKWARDS BURN.
DO 1 I=1,5
WTS(I)=WEIGHT(I)
1 WEIGHT(I)=1.0
NC=0
C START MAIN GUIDANCE LOOP FOR FIRST BURN.
3 IF(NLAST.EQ.1) LAST=1
IF(DABS(TIMES(6)-TIMES(5)).LE.2.*DTYPE(1)) NLAST=1
IF(NLAST.EQ.1) IOUT=1
IF(NLAST.EQ.1) DT=DABS(TIMES(6)-TIMES(5))/2.
IF(LAST.EQ.1) DT=DABS(TIMES(6)-TIMES(5))
CALL FORWRD(0, -DT, 0)
TIMES(6)=TIMES(5)+DT
IF(LAST.EQ.1) GO TO 5
35 NOP=1

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FILE: BCBCB FORTRAN P1

CAMBRIDGE MONITOR SYSTEM

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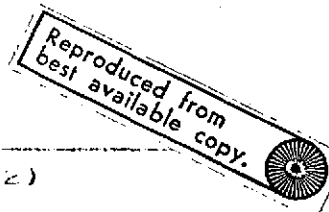
MODE=3
CALL GUIDE(0.0)
IPRINT=0
CK=-1.0
CALL CKSLT(CK)
C SET INDEX FOR OUTPUT.
IF(IOUT.EQ.1) NPOINT=NPOINT+1
IF(IOUT.EQ.1) CALL NAVOUT(1,NPOINT)
C APPLY CORRECTIONS TO Q0, KEEP QT (=TRUE Q0) AT UNIT MAGNITUDE.
C QT IS THE ACTUAL CGSTATE WHICH WOULD BE USED FOR STEERING.
DO 4 I=1,6
Q0(I)=Q0(I)+CK*Q00(I)
4 QT(1)=Q(1)
UMAG=DSQRT(Q0(1)**2+Q0(2)**2+Q0(3)**2)
DO 41 I=1,6
41 Q0(I)=Q0(I)/UMAG
C APPLY CORRECTIONS TO ALL TIMES EXCEPT THE LAST, SINCE IT IS REALLY
C THE CLOCK TIME IN BACKWARDS MODE.
DO 5 I=1,5
5 TIMES(I)=TIMES(I)+CK*DTIMES(I)
AM1=TRUEMS+VEH(1,2)*(TIMES(6)-TIMES(5)+TIMES(4)-TIMES(3)+TIMES(2)-TIMES(1))
AM0=(AM0+AM1)*.5
IF(NLAST.NE.1) GO TO 3
NC=NC+1
IF(NC.EQ.1) GO TO 33
DMISS=DSQRT((X(1)-XF(1))**2+(X(2)-XF(2))**2+(X(3)-XF(3))**2)
IF(DMISS.GT.1..AND.NC.LE.20) GO TO 33
CALL GUIDE(0.0)
DO 11 I=1,6
11 QT(1)=Q(1)
GO TO 3
C END OF FIRST BURN. TURN MISSION AROUND.
6 CALL GUIDE(0.0)
MODE=0
C SET FLAG TO SIGNAL NAVIGATIONAL UPDATE.
IUPDAT=1
C RESTORE THE WEIGHTS.
DO 7 I=1,6
7 WEIGHT(I)=WTS(I)
C CHANGE OUTBOUND 3-BURN MISSION BACK TO NORMAL MODE.
B1=DABS(TOSAVE-TIMES(5))
B2=DABS(TIMES(4)-TIMES(3))
B3=DABS(TIMES(2)-TIMES(1))
C2=DABS(TIMES(5)-TIMES(4))
C3=DABS(TIMES(3)-TIMES(2))
TT=TIMES(1)-T0
T0=B1+T0INT
TIMES(1)=0.0
TIMES(2)=0.0
TIMES(3)=T0+C2
TIMES(4)=TIMES(3)+B2
TIMES(5)=TIMES(4)+C3
TIMES(6)=TIMES(3)+B3
TT=TIMES(6)+TT

```

FILE: BCBCB

FORTRAN TP1

CAMBRIDGE MONITOR SYSTEM



```

VER(1,2)=-VER(1,2) BCB01110
AMG=TOTLMS-B1*VER(1,2) BCB01120
DO 8 I=1,3 BCB01130
QO(I)=QT(I) BCB01140
QO(I+3)=-QT(I+3) BCB01150
XTEMP1=XT(I) BCB01160
XTEMP2=XT(I+3) BCB01170
XT(I)=XO(I) BCB01180
XT(I+3)=-XO(I+3) BCB01190
XO(I)=XTEMP1 BCB01200
8 XO(I+3)=-XTEMP2 BCB01210
C SET END CONDITIONS. BCB01220
CALL BVALS(XT,QO,P IV,T V,=1) BCB01230
DO 9 I=1,6 BCB01240
9 CC(I)=DD(I) BCB01250
CALL CBCB BCB01260
RETURN BCB01270
C BCB01280
C BCB01290
C 3-BURN INBOUND MISSION (FORWARD MODE). BCB01300
C BCB01310
C BCB01320
C SET QO TO UNIT MAGNITUDE. BCB01330
100 QMAG=DSQRT(QO(1)**2+QO(2)**2+QO(3)**2) BCB01340
DO 101 I=1,6 BCB01350
101 QO(I)=QO(I)/QMAG BCB01360
102 IF(NLAST.EQ.1) LAST=1 BCB01370
IF(TIMES(2)-TIMES(1).LE.2.*DTYPE(1)) NLAST=1 BCB01380
IF(NLAST.EQ.1) DT=(TIMES(2)-TIMES(1))/2. BCB01390
IF(LAST.EQ.1) DT=TIMES(2)-TIMES(1) BCB01400
CALL FORWARD(0,DT,1) BCB01410
IF(LAST.EQ.1) IUPDAT=1 BCB01420
TIMES(1)=TIMES(1)+DT BCB01430
IF(LAST.EQ.1) GO TO 106 BCB01440
NOP=1 BCB01450
MODE=0 BCB01460
CALL GUIDE(G,0) BCB01470
IPRINT=0 BCB01480
CK=-1.0 BCB01490
CALL CKSET(CK) BCB01500
C ADD CORRECTIONS TO QO, TIMES. BCB01510
DO 103 I=1,6 BCB01520
QO(I)=QO(I)+CK*DRG(I) BCB01530
103 TIMES(1)=TIMES(1)+DTIMES(1)*CK BCB01540
IF(NLAST.EQ.1.OR.1001.EQ.1) NPOINT=NPOINT+1 BCB01550
IF(NLAST.EQ.1.OR.1001.EQ.1) CALL SAVOUT(1,NPOINT) BCB01560
GO TO 100 BCB01570
106 CALL CBCB BCB01580
RETURN BCB01590
END BCB01600

```

Subroutine BVAL5

A. Purpose

The new BVAL5 subroutine replaces the BVAL5 and BVAL6 subroutines in GUIDE 71/6. It calculates the miss in end conditions and partial derivatives of the end conditions for either hard or soft constraint missions with up to six end condition constraints and free or fixed terminal time. The subroutine can also be called (for example, for initializing desired h and e) with NBVAL=-1 to calculate the three components of the angular momentum vector h and the three components of the eccentricity vector e , pointing toward perigee with magnitude of eccentricity. BVAL5 calls the subroutine COAST to obtain target state XTF at the end of the mission, TIMES(6).

B. Input/Output Definition

<u>Input Parameter</u>	<u>Symbol</u>	<u>Definition</u>
XF(I) for I=1 to 3	r	Final vehicle position
for I=4 to 6	v	Final vehicle velocity
QF(I) for I=1 to 3	u	Final control vector
for I=4 to 6	\dot{u}	Final (du/dt)
PTV(I) for I=1 to 12	$\left(\frac{\partial T_V}{\partial y} \right)$	Partial derivatives of T_V with respect to $y = (r^T, v^T, u^T, \dot{u}^T)^T$ evaluated in BUZZ
TV	T_V	Phasing transversality condition $\mu(r^T u)/ r ^3 + (v^T \dot{u})$ evaluated in BUZZ
NBVAL	-	Flag parameter indicating whether or not miss in end conditions and their derivatives are to be calculated
UK	μ	Gravitational constant
C(I) for I=1 to 3	h_d	Desired orbital angular velocity
for I=4 to 6	e_d	Desired eccentricity vector

<u>Input Parameter</u>	<u>Symbol</u>	<u>Definition</u>
Z(I,J) I=1 to 12 J=1 to JMAX1	$\left(\frac{\partial y}{\partial \xi}\right)$	Partial derivatives of final $y = (r^T, v^T, u^T, \dot{u}^T)^T$ with respect to JMAX1 independent variables
JMAX1	JMAX	Number of independent variables
JLAST	-	JMAX1 + 1
MODE	-	Flag to denote fixed terminal time mission
TIMES(6)	t_f	Terminal time
TT	T	Target epoch (time at which $x_T(T)$ is valid)
XTF(I) for I=1 to 6	$x_T(T)$	Target state at time T
WT(I) for I=1 to 6	w	Diagonal components of weighting matrix ranging from 0.0 to 1.0. (W(I)=1.0 if the Ith end condition is a hard constraint. W(I)=0.0 if the Ith end condition is un- constrained.)
<u>Output Parameter</u>	<u>Symbol</u>	<u>Definition</u>
D(I) for I=1 to 3	h	Orbital angular velocity
for I=4 to 6	e	Eccentricity vector
DELTC(I) for I=1 to 6	Δc	Miss in end conditions
XTF(I)	$x_T(t_F)$	Target state at t_F
DC(I) for I=1 to 6	DC	Weighted combination of transversality conditions and misses in end conditions
E(I,J) for I=1,6 J=1, JMAX1	$\left(\frac{\partial DC}{\partial \xi}\right)$	Partial derivatives of S with respect to independent variables

C. Method of Computation

Components of the orbital constants h and v are calculated using the expressions

$$\begin{aligned} h &= rxv \\ e &= -\left\{ \frac{r}{|r|} + \frac{(rxv)xv}{\mu} \right\} \end{aligned} \quad (1)$$

The subroutine COAST is called to propagate $x_T(T)$ from T to t_f . If a fixed terminal time mission is being flown (indicated by $MODE=3$), the parameters $JMAX1$ and $JLAST$ are each decremented by 1. This has the effect of eliminating the dependent variable corresponding to the change in the transversality variable across the last burn arc. It also has the effect of eliminating terminal time as an independent variable and of eliminating the appropriate row and column of the E matrix.

The end condition miss vector Δc is composed of scaled components of Δh , Δe and Δr lying along the R and $K = \frac{H \times R}{|H|}$ vectors and a scaled miss in orbital energy E .

$$\Delta c = \begin{pmatrix} \Delta h^T K / |H| \\ \Delta E \left(\frac{R^2}{\mu} \right) \\ \hline \Delta e^T K \\ \Delta h^T R / |H| \\ \Delta e^T R \\ \Delta r^T K \end{pmatrix} \quad (2)$$

Here, $\Delta h = h_{\text{target}} - h$

$\Delta e = e_{\text{target}} - e$

and Δc is evaluated at $R = r$ and $H = h$. This constraint formulation has excellent convergence properties for well posed orbit injection and rendezvous missions of all geometries. All components of Δc are scaled to have the same units as r .

In order to avoid stability problems during the last leg of a mission, the problem is formulated so that a weighted combination of fuel use and miss in end conditions is minimized. The cost functional

$$J = \int_{t_0}^{t_f} |\dot{m}| dt + 1/2 \Delta c^T W \Delta c \quad (3)$$

is minimized. Here W is a 6×6 diagonal weighting matrix and $|\dot{m}|$ is the rate of fuel consumption during burns. Minimizing this cost functional is equivalent to satisfying the costate equations

$$p_f = \left(\frac{\partial \Delta c}{\partial x} \right)^T W \Delta c \quad (4)$$

where $p_f^T = (\dot{u}^T, -u^T)$ or equivalently the equations

$$(I-w)B^T p_f = w \Delta c \Big|_{X=x} \quad (5)$$

where B is a nonsingular matrix such that

$$B(x)^T \left(\frac{\partial \Delta c}{\partial x} \right)^T \Big|_{X=x} = I \quad (6)$$

and w is a diagonal weighting matrix with i th diagonal component w_i related to i th diagonal component W_i of W by

$$w_i = \frac{W_i}{1+W_i} \quad (7)$$

Whenever an end condition such as phasing is unconstrained, the corresponding diagonal component of w is zero. For hard constraints, $w=I$, the vector $B^T p_f$ is composed of six scaled transversality conditions. The sixth component of $B^T p_f$ is $|r|T_v/|h|$ where T_v is the phasing transversality condition calculated in BUZZ. The components of $(I-w)B^T p_f$ given in terms of multiplying coefficients C_{ij} defined in the code are

$$(I-w)B^T p_f = \begin{pmatrix} c_{11}(h^T u) \\ -c_{21}(r^T \dot{u}) - c_{22}(v^T u) \\ -c_{31}(r^T \dot{u}) + c_{32}(r^T u) - c_{33}(v^T u) \\ -c_{41}(h^T \dot{u}) + c_{42}(h^T u) \\ c_{51}(r^T \dot{u}) + c_{52}(r^T u) + c_{53}(v^T u) \\ c_{61} T_v \end{pmatrix} \quad (8)$$

The DC vector calculated in BVAL5 corresponds to the miss in satisfying Eq. (5)

$$DC = w\Delta c - (I-w)B^T p_f \quad (9)$$

Partial derivatives of DC with respect to the independent variables ζ are calculated via the chain rule.

$$\left(\frac{\partial DC}{\partial \zeta} \right) = \left(\frac{\partial DC}{\partial x} \right) \left(\frac{\partial x}{\partial \zeta} \right) + \left(\frac{\partial DC}{\partial q} \right) \left(\frac{\partial q}{\partial \zeta} \right) \quad (10)$$

The G matrix in BVAL5 corresponds to (DC/x) neglecting derivatives of scaling factors. From Eq. (8), it can be seen that the second term in Eq. (10) is efficiently evaluated by calculating terms such as $h^T \left(\frac{\partial u}{\partial \zeta} \right)$, $r^T \left(\frac{\partial \dot{u}}{\partial \zeta} \right)$ and multiplying by the appropriate c_{ij} coefficients.

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BVA00510
BVA00520
BVA00530
BVA00540
BVA00550

SUBROUTINE BVALS CALCULATES D (ANGULAR MOMENTUM AND CENTRICITY-VECTORS) FROM INPUT STATE XF... IF NBVAL D-ES NOT EQUAL -1, THEN THE DC VECTOR (WEIGHTED COMBINATIONS OF TRANSVERSALITY AND MISS IN END CONDITIONS) AND THE E MATRIX (PARTIAL-DERIVATIVES OF DC WITH RESPECT TO THE JMAX1 INDEPENDENT VARIABLES) ARE ALSO CALCULATED.

SUBROUTINE BVALS(XF,QF,PTV,TV,NBVAL)

```
IMPLICIT REAL*8 (A-H,O-Z)
```

```

DIMENSION XF(5),-DUM1(5,5),R(3),V(3),DUM2(5)

```

COMMON ZBYLQUT/STE(6), DELTC(6)

```
COMMON /G1D1N/ X(10),IT,X0(6),T0,AMG,VEH(10,7),G0(6),
```

1--TIMES(5),C(5)-

COMMON /CPHYS/ UK,REARTH,RHOU,AK,OMEGA,BDLATL

```
COMMON /GIDOUT/ D00(6),DTIMES(6),L(12,12),DC(12),Y(12),Z(12,12),
```

-1--D(6), DU4M(4), SM

```
COMMON /CINDEX/ NARC,IARC,JMAX,JM,JMAX1,JLAST,NO,NOP,NRKGOS
```

COMMON /CMODE/ MODE,IFREZ,ISTOP

COMMON /CWT/ - # T (C)

```
COMMON /CWTZ/ X(6), Y(6), Z(6), W(6), T(6), U(6), V(6),  
DIMENSION C(6,6),U(3),UD(3),RXU(3),RXUD(3),GF(6),PTV(1.),XK(3)
```

DIMENSION YXU(3),YXUU(3),DRU(12),DRUD(12),DVU(12),DHU(12)

```

DIMENSION VXS(3),VXS(
-IF_(MODE-NE,3)-GO TO-1

```

JMAX1=JMAX1-1

```

JMAX1=JMAX1-1
JLAST=JLAST-1

```

```

JLAST=JLAST-1
IF (JMAX1.13)=0.

```

1. NO=-1

SUBROUTINE COAST IS CALLED TO PROPAGATE TARGET STATE TO

FINAL TIME SUCH THAT THE PHASING MISS COMPONENT IN DC(6)

CAN BE CALCULATED.

CALL COAST(XT,DUM2,TIME5(6)-TT,XTF,DUM2,DUM1,DUM1)

DO 2.1=1.3

$$R(1) = XF(1)$$
$$U(I) = QF(I)$$
$$UD(I) = GF(I + 3)$$
$$2 \quad V(I) = XF(I+3)$$
$$R2 = 1.0 / (R(1)*R(1) + R(2)*R(2) + R(3)*R(3))$$

```
R2=1.0/(R(1))
RM=DSQR(R2)
```

$$V2 = V(1)*V(1) + V(2)*V(2) + V(3)*V(3)$$
$$P_{TV} = R(1) * V(1) + R(2) * V(2) + R(3) * V(3)$$
$$RTV = R(1) * V(1) + R(2) * V(2) + R(3) * V(3)$$

RTVU=RTV/UK

$$RTV2 = RTV * RTV$$
$$V_2 U = V_2 / U_K$$

CALCULATE ANGULAR MOMENTUM VECTOR H.

$$D(1) = R(2) * V(3) - R(3) * V(2)$$
$$D(2) = R(3) * V(1) - R(1) * V(3)$$
~~$$D(3) = R(1) * V(2) - R(2) * V(1)$$~~

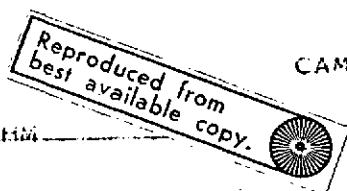

```

C----- CALCULATE ECCENTRICITY VECTOR L----- BVA00560
DO 3 I=1,3 BVA00570
3 D(1+3)=- (RM-V2U)*R(I)-RTVU*V(I) BVA00580
IF-(NVAL.EQ.-1) RETURN BVA00590
H2=V2/R2-RTV2 BVA00600
HM=DSQRT(H2) BVA00610
CF=0.5*V2-UK*RM BVA00620
VUR=V2-RM*UK BVA00630
DO 4 I=1,3 BVA00640
4 XK(I)=(V(I)/R2-RTV*R(I))/HM BVA00650
HU=HM*UK BVA00660
UR2=UK*R2 BVA00670
URMG=UK/RM-RTV2 BVA00680
H2MG=H2-RTV2 BVA00690
CF=0.5*V2-UK*RM BVA00700
HC=HM*CF BVA00710
C----- CALCULATE REQUIRED DOT AND CROSS PRODUCTS.----- BVA00720
RTU=R(1)*U(1)+R(2)*U(2)+R(3)*U(3) BVA00730
RTUD=R(1)*UD(1)+R(2)*UD(2)+R(3)*UD(3) BVA00740
VTU=V(1)*U(1)+V(2)*U(2)+V(3)*U(3) BVA00750
HTU=D(1)*U(1)+D(2)*U(2)+D(3)*U(3) BVA00760
HTUD=D(1)*UD(1)+D(2)*UD(2)+D(3)*UD(3) BVA00770
RXU(1)=R(2)*U(3)-R(3)*U(2) BVA00780
RXU(2)=R(3)*U(1)-R(1)*U(3) BVA00790
RXU(3)=R(1)*U(2)-R(2)*U(1) BVA00800
RXUD(1)=R(2)*UD(3)-R(3)*UD(2) BVA00810
RXUD(2)=R(3)*UD(1)-R(1)*UD(3) BVA00820
RXUD(3)=R(1)*UD(2)-R(2)*UD(1) BVA00830
VXU(1)=V(2)*U(3)-V(3)*U(2) BVA00840
VXU(2)=V(3)*U(1)-V(1)*U(3) BVA00850
VXU(3)=V(1)*U(2)-V(2)*U(1) BVA00860
VXUD(1)=V(2)*UD(3)-V(3)*UD(2) BVA00870
VXUD(2)=V(3)*UD(1)-V(1)*UD(3) BVA00880
VXUD(3)=V(1)*UD(2)-V(2)*UD(1) BVA00890
C----- CALCULATE REQUIRED COEFFICIENTS. C COEFFICIENTS MULTIPLY BVA00900
C----- DOT PRODUCTS OF STATE AND CSTATE IN TRANSVERSALITY CONDITIONS. BVA00910
C----- B COEFFICIENTS ARE SCALAR MULTIPLIERS IN PARTIALS OF DC WITH BVA00920
C RESPECT TO R AND V. BVA00930
B11=WT(1)*RTV/H2 BVA00940
B12=WT(1)/(H2*R2) BVA00950
C11=(1.0-WT(1))*R2 BVA00960
B21=WT(2)*RM BVA00970
B22=WT(2)/UR2 BVA00980
C21=(1.0-WT(2))*UR2/CF BVA00990
C22=0.5*C21 BVA01000
U3=(1.0-WT(3))*UR2/HC BVA01010
BFAC=U3*(RTUD+0.5*VTU) BVA01020
B31=WT(3)*URMG/HU-BFAC BVA01030
B32=WT(3)*RTV*VUR/HU+U3*RTU*UR2*RM BVA01040
B33=WT(3)*RTV/(HU*R2)-U3*RTU BVA01050
B34=WT(3)*H2MG/HU-BFAC BVA01060
C31=U3*RTV BVA01070
C32=(1.0-WT(3))*UR2/HM BVA01080
C33=0.5*C31 BVA01090
B41=WT(4)/HM BVA01100

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      B42=2.0*(1.0-WT(4))*R2/HM
      B43=0.5*B42
      C41=(1.0-WT(4))/HM
      C42=B43*RTV
      U5=(1.0-WT(5))*UR2/(H2*CF)
      BFAC=U5*RTV*(2.0*RTUD+VTU)
      B51=WT(5)*V2U-U5*(V2*RTUD-UK*RTV*RTU*R2*RM-0.5*UK*VTU*RM)
      B52=WT(5)*RTVU+U5*CF*RTU-BFAC
      B53=2.0*WT(5)/UR2-U5*(CF*RTU-RTUD/R2)
      B54=-2.0*WT(5)*RTVU+BFAC
      C51=0.5*U5*H2MG
      C52=U5*RTV*CF
      C53=0.5*U5*URMG
      B61=WT(6)*RM
      C61=(1.0-WT(6))/(RM*HM)
      C62=(1.0-WT(6))*UR2/HM
C      CALCULATE PARTIALS OF DC WITH RESPECT TO R AND V.
      DO 5 I=1,3
      G(1,I)=B11*D(I)-C11*VXU(I)
      G(1,I+3)=-B12*D(I)+C11*RXU(I)
      G(2,I)=B21*R(I)+C21*UD(I)+(C21*RTUD+C22*VTU)*UR2*RM*R(I)/CF
      G(2,I+3)=B22*V(I)+C22*U(I)+(C21*RTUD+C22*VTU)*V(I)/CF
      G(3,I)=-B31*V(I)-B32*R(I)-C32*U(I)+C31*UD(I)
      G(3,I+3)=-B33*V(I)-B34*R(I)+C33*U(I)
      G(4,I)=-B41*D(I)+B42*R(I)-B43*V(I)+C41*VXUD(I)+C42*VXU(I)
      G(4,I+3)=-B43*R(I)-C41*RXUD(I)-C42*RXU(I)
      G(5,I)=B51*R(I)-B52*V(I)-C51*UD(I)-C52*U(I)
      G(5,I+3)=B53*V(I)+B54*R(I)+C53*U(I)
      G(6,I)=B61*XK(I)-C61*PTV(I)
5      G(6,I+3)=-C61*PTV(I+3)
      DO 6 J=1,JMAX1
      DRU(J)=R(1)*Z(7,J)+R(2)*Z(8,J)+R(3)*Z(9,J)
      DRUD(J)=R(1)*Z(10,J)+R(2)*Z(11,J)+R(3)*Z(12,J)
      DVU(J)=V(1)*Z(7,J)+V(2)*Z(8,J)+V(3)*Z(9,J)
      DHU(J)=D(1)*Z(7,J)+D(2)*Z(8,J)+D(3)*Z(9,J)
C      CALCULATE PARTIALS OF DC WITH RESPECT TO COSTATE TIMES
C      PARTIAL OF COSTATE WITH RESPECT TO INDEPENDENT VARIABLES.
C      (FIRST STEP OF CHAIN RULE)
      E(1,J)=-C11*DHU(J)
      E(2,J)=C21*DRUD(J)+C22*DVU(J)
      E(3,J)=C31*DRUD(J)-C32*DRU(J)+C33*DVU(J)
      E(4,J)=C41*(D(1)*Z(10,J)+D(2)*Z(11,J)+D(3)*Z(12,J))-C42*DHU(J)
      E(5,J)=-C51*DRUD(J)-C52*DRU(J)-C53*DVU(J)
      E(6,J)=-C61*(V(1)*Z(10,J)+V(2)*Z(11,J)+V(3)*Z(12,J))-C62*DRU(J)
C      ADD IN PARTIAL OF DC WITH RESPECT TO STATE TIMES / PARTIAL
C      OF STATE WITH RESPECT TO INDEPENDENT VARIABLES.
      DO 6 I=1,6
      DO 6 K=1,6
6      E(I,J)=E(I,J)+C(I,K)*Z(K,J)
C      CALCULATE MISS IN SOFT CONSTRAINTS.
C      1. DELTA H ALONG H CROSS R
C      2. DELTA ENERGY
C      3. DELTA E ALONG H CROSS R
C      4. DELTA H ALONG R
C      5. DELTA E ALONG R

```

C	6. DELTA R ALONG FL CROSS R.	BVA01670
C	WHERE DELLTA REPRESENTS DESIRED MINUS ACTUAL AND CONSTRAINTS	BVA01680
C	ARE SCALED TO HAVE UNITS OF LENGTH.	BVA01690
	DELTC(1)=(C(1)*XK(1)+C(2)*XK(2)+C(3)*XK(3))/HM	BVA01700
	DELTC(2)=-((CF-.5*UK*UK*(C(4)*C(4))	BVA01710
1	+C(5)*C(5))+C(6)*C(6)-1.0)/(C(1)*C(1)	BVA01720
1	+C(2)*C(2)+C(3)*C(3))/UR2	BVA01730
	DELTC(3)=(C(4)-D(4))*XK(1)+(C(5)-D(5))*XK(2)+(C(6)-D(6))*XK(3)	BVA01740
	DELTC(4)=(C(1)*R(1)+C(2)*R(2)+C(3)*R(3))/HM	BVA01750
	DELTC(5)=(C(4)-D(4))*R(1)+(C(5)-D(5))*R(2)+(C(6)-D(6))*R(3)	BVA01760
	DELTC(6)=(XTF(1)*XK(1)+XIF(2)*XK(2)+XTF(3)*XK(3))*RM	BVA01770
C	CALCULATE WEIGHTED COMBINATIONS OF TRANSVERSALITY	BVA01780
C	CONDITIONS AND MISS IN END CONDITIONS.	BVA01790
	DC(1)=C11*HTU+WT(1)*DELTC(1)	BVA01800
	DC(2)=-C21*RTUD-C22*VTU+WT(2)*DELTC(2)	BVA01810
	DC(3)=-C31*RTUD+C32*RTU-C33*VTU+WT(3)*DELTC(3)	BVA01820
	DC(4)=-C41*HTUD+C42*ITU+WT(4)*DELTC(4)	BVA01830
	DC(5)=C51*RTUD+C52*RTU+C53*VTU+WT(5)*DELTC(5)	BVA01840
	DC(6)=C61*TV+WT(6)*DELTC(6)	BVA01850
	RETURN	BVA01860
	END	BVA01870
C	<><><><><><><><><><><><><><><><><><><><><><><><>	BVA01880
C		BVA01890
	SUBROUTINE SOLVE(A,L6,L7)	BVA01900
	REAL*8 A(12,25),O	BVA01910
	DO 6 N=1,L6	BVA01920
	M=N+1	BVA01930
	IBIG=N	BVA01940
	DO 1 I=N,L6	BVA01950
1	IF(.NOT.(DABS(-A(I,N))-GT.DABS(A(IBIG,N)))) IBIG=I	BVA01960
	DO 2 J=M,L7	BVA01970
	Q=A(IBIG,J)/A(IBIG,N)	BVA01980
	A(IBIG,J)=A(N,J)	BVA01990
2	A(N,J)=Q	BVA02000
	A(IBIG,N)=A(N,N)	BVA02010
	DO 5 I=1,L6	BVA02020
	IF(I.EQ.N) GO TO 5	BVA02030
	DO 4 K=M,L7	BVA02040
4	A(I,K)=A(I,K)-A(I,N)*A(N,K)	BVA02050
5	CONTINUE	BVA02060
6	CONTINUE	BVA02070
	RETURN	BVA02080
	END	BVA02090
C		BVA02100
C	<><><><><><><><><><><><><><><><><><><><><><><><>	BVA02110
C		BVA02120
	SUBROUTINE BVAL4(XF,XF,PV,TY,NBVAL)	BVA02130
	IMPLICIT REAL*8(A-H,O-Z)	BVA02140
C	THIS IS A FOUR-CONSTRAINT VERSION OF BVAL6. THE MISSION	BVA02150
C	IS TO ACHIEVE AN ORBIT WITH GIVEN VALUES OF SEMIMAJOR AXIS,	BVA02160
C	ECCENTRICITY,INCLINATION, AND ARGUMENT OF PERIGEE. THE ORBITAL	BVA02170
C	CONSTANTS WHICH ARE TRANSMITTED IN C IN THE COMMON BLOCK GIDN	BVA02180
C	ARE MAGNITUDE AND THIRD COMPONENT OF ORBITAL ANGULAR VELOCITY H.	BVA02190
C	THE THIRD COMPONENT OF A VECTOR L POINTING TOWARD PERICENTER WITH	BVA02200

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C MAGNITUDE OF ECCENTRICITY, AND THE THIRD COMPONENT OF H X E. BVA02210
COMMON /CPHYS/ UK,REARTH,RHU0,RHOB,OMEGA,OBLATE BVA02220
COMMON /CINDEX/ NARC,IARC,JMAX,JM,JMAX1,JLAST,NO,NOP,N KGOS BVA02230
COMMON /GIDIN/ XT(6),TI,XO(6),TO,AMO,VEH(10,7),OO(6),TIMES(6),C(6) BVA02240
COMMON /GIDOUT/ DGO(6),DTIMES(6),E(12,13),ZZ(12),Z(12,12),D(6), BVA02250
1 DUMM(4),SM BVA02260
DIMENSION XF(6),OF(6),PIV(12),G(6) BVA02270
C***< 1 > CALCULATE D(1) FOR I = 1 TO 4 ***** BVA02280
R2=1.0/(XF(1)*XF(1)+XF(2)*XF(2)+XF(3)*XF(3)) BVA02290
RM=(R2)**0.5 BVA02300
RTV=XF(1)*XF(4)+XF(2)*XF(5)+XF(3)*XF(6) BVA02310
V2=XF(4)*XF(4)+XF(5)*XF(5)+XF(6)*XF(6) BVA02320
D(1)=(V2/R2-RTV*RTV)**0.5 BVA02330
D(2)=XF(1)*XF(5)-XF(2)*XF(4) BVA02340
H2=D(1)*D(1) BVA02350
RTVR=RTV*RM BVA02360
FV=H2/UK-1.0/RM BVA02370
D(4)=RTVR*XF(3)+FV*XF(6) BVA02380
D(4)=RTV*XF(3)*RM-XF(6)/RM+H2*XF(6)/UK BVA02390
V2UR=V2/UK-RM BVA02400
RTVU=RTV/UK BVA02410
D(3)=XF(3)*V2UR-XF(6)*RTVU BVA02420
IF (NVAL.EQ.-1) RETURN BVA02430
C***< 2 > CALCULATE PARTIAL DERIVATIVES E(I,J) ***** BVA02440
C.....< 2.1 > CALCULATE (DC4/DR) , (DC4/DV)..... BVA02450
R3R=XF(3)*RM*R2 BVA02460
V3U=XF(6)/UK BVA02470
V2H=V2/D(1) BVA02480
RTVH=RTV/D(1) BVA02490
R2H=1.0/(R2*D(1)) BVA02500
TR3=2.0*XF(3)/UK BVA02510
CS1=XF(6)*(V2UR+V2/UK)-RTV*R3R BVA02520
CS2=2.0*V3U/R2 BVA02530
F=XF(3)*RM-2.0*RTVU*XF(6) BVA02540
DO 4 I=1,3 BVA02550
G(1)=F*XF(I+3)+CS1*XF(1) BVA02560
4 G(I+3)=CS2*XF(I+3)+F*XF(I) BVA02570
G(3)=G(3)+RTVR BVA02580
G(6)=G(6)+FV BVA02590
DO 1 J=1,JMAX1 BVA02600
C.....< 2.2 > CALCULATE R'S AND V'S..... BVA02610
RZ1=XF(1)*Z(1,J)+XF(2)*Z(2,J)+XF(3)*Z(3,J) BVA02620
RZ4=XF(1)*Z(4,J)+XF(2)*Z(5,J)+XF(3)*Z(6,J) BVA02630
VZ1=XF(4)*Z(1,J)+XF(5)*Z(2,J)+XF(6)*Z(3,J) BVA02640
VZ4=XF(4)*Z(4,J)+XF(5)*Z(5,J)+XF(6)*Z(6,J) BVA02650
C.....< 2.3 > FINISH CALCULATION OF E(I,J)..... BVA02660
E(2,J)=XF(5)*Z(1,J)-XF(4)*Z(2,J)-XF(2)*Z(4,J)+XF(1)*Z(5,J) BVA02670
Z(1,J)=V2H*RZ1-RTVH*(VZ1+RZ4)+R2H*VZ4 BVA02680
E(3,J)=V2UR*Z(3,J)+R3R*RZ1+TR3*VZ4-V3U*(VZ1+RZ4)-RTVU*Z(6,J) BVA02690
E(4,J)=G(1)*Z(1,J)+G(2)*Z(2,J)+G(3)*Z(3,J)+G(4)*Z(4,J)+ BVA02700
1 G(5)*Z(5,J)+G(6)*Z(6,J) BVA02710
E(5,J)=+OF(5)*Z(1,J)-OF(4)*Z(2,J)-OF(2)*Z(4,J)+OF(1)*Z(5,J) BVA02720
1 +XF(5)*Z(7,J)-XF(4)*Z(6,J)-XF(2)*Z(10,J)+XF(1)*Z(11,J) BVA02730
SUM=0.0 BVA02740
DO 2 K=1,12 BVA02750

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2 SUM=SUM+PTV(K)*Z(K,J) BVAL2760
1 E(6,J)=SUM BVA02770
C***< 3 > CALCULATE MISS IN END CONDITIONS DEL C ***** BVA02780
DO 3 I=1,4 BVA02790
3 E(1,13)=C(1)-D(1) BVA02800
E(6,13)=-TV BVA02810
E(5,13)=- (XF(5)*GF(1)-XF(4)*GF(2)-XF(2)*GF(4)+XF(1)*GF(5)) BVA02820
RETURN BVA02830
END BVA02840
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